# PAX

#### **Extreme Matter Panel**

S.Bernuzzi, S.Bhagwat, I.Bombaci, P.T.H.Pang

#### Almost two years after August 2017 event ...

- What did we learn from the GW170817 about nuclear matter ?
- What did we learn from the counterparts alone?
- What did we learn from combined data?

Looking forward:

- How robust are the results?
- What are the limitations & caveats?
- What do we expect from future observations?
- What theory & analysis tools we need to go beyond?

### Priority questions proposed by the panel

- Priors and degeneracies in GW analysis affecting tidal par measurement
- Systematics with multiple GW events combined
  - "Universal" relations, Waveform, Priors
- Nuclear physicists perspective
  - Nuclear interactions in high density regime (Symmetry energy et al)
  - Nonnucleonic d.o.f. (Hyperons)
  - Quark deconfinement phase transition

Swetha: Intro on PE for BNS, priors & degeneracies

#### Observational constraints with GW170817





#### "Where" is the information on tides?



FIG. 3. Integrands, per frequency octave, of the integrals determining the measurability of  $\mathcal{M}$ ,  $\nu$ ,  $\rho$  (SNR) and  $\lambda_T$ . While most of the SNR is gathered around frequencies  $\hat{f} = f/(56.56 \text{ Hz}) \sim 1$ , the measurability of  $\mathcal{M}$  and  $\nu$  is concentrated towards lower frequencies ( $\hat{f} = f/f_0 < 1$ ), and that of the tidal parameter  $\lambda_T$  gets its largest contribution from the late inspiral up to the merger. The rightmost vertical line indicates the merger frequency for  $\mathcal{C} = 0.1645$ , while the leftmost vertical line marks 450 Hz for a  $1.4M_{\odot} + 1.4M_{\odot}$  BNS system.

Damour, Nagar, Villain (2011)



**Figure 2.** Illustration of where in frequency the information about intrinsic binary parameters predominantly comes from. The quantity shown on the y-axis is a normalized quantity characterizing the accumulation of information about the binary parameters  $\xi_i$  per logarithmic frequency interval. Specifically, the y-axis is  $|(\partial \tilde{h}/\partial \xi_i)|^2/(f S_n)$  for  $S_n$  the zero-detuned high power configuration of Advanced LIGO and each curve normalized to its maximum value.

#### Dependency on priors!



#### De et al.



# High Spin Prior v/s Low spin - LIGO-VIRGO result

Peter: GW BNS analysis, systematics

### Difficulties of combining multiple events

Systematics can be significant

- Imperfect fitting in quasi-universal relations
- Waveform systematics
- Priors on parameters, e.g. mass

### Employing universal\* relation

Advantages:

- Reduce statistical error
- Reduce the dimensionality of the parameter space to sample

Disadvantages:

• Induced systematic error

\*EoS-independent



Plot taken from Chatziioannou et.al (2018)



Plot taken from Carson *et.al* (2018)

### Waveform systematics

Systematics due to

- Quadrupole-monopole
- Spin Precession

Samajdar et.al (2019)

- 1.375-1.375 solar mass
- aligned spin
- SNR of 80-90





#### Waveform systematics





Messina, Dudi, Nagar, SB (2018)

#### More waveform systematics

- TEOBResumS injection
- fmin 30 Hz
- fmax 1kHz or 2kHz
- Priors?



Agathos, Zappa, Breschi, SB (2019) Unpub.

#### **Prior systematics**



Plot taken from Agathos *et.al* (2015)

Ignazio: Nuclear physicists perspective

One of the main scientific target of Gravitational Wave astronomy is to explore the properties of hot (T  $\leq$  100 MeV) and dense ( $\rho \leq 2.8 \times 10^{15} \, \text{g/cm}^3$ ) matter

#### **Astrophysical environments for extreme matter:**

Core-Collapse SNe, proto-Neutron Stars, Neutron Stars, BNS mergers, and eventually ``exotic`` astrophysical processes as NS  $\rightarrow$  SS conversion

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Probing extreme matter with GWs Key questions

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- 5. How does dense matter transport properties (shear and bulk viscosity, thermal conductivity, etc.) affect the evolution and the fate of the post-merger remnant? (influence on  $\tau_{diff-rot}$  differential-to-rigid-rotation damping time)

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- 6. Neutrino-matter interactions rates Neutrino-driven explosion mechanism and neutrino signal in SNe. Proto-neutron star evolution. BNS merging (evolution of the post-merger remnant and its GW signal).

### **Key questions**

7. How do the properties of atomic nuclei far from the stability valley influence r-process nucleosynthesys and the EM counterpart of the merger?

#### Modeling extreme matter and GWs with piecewise-polytropic EOS $P(\rho) = K_i \rho^{\Gamma_i}; \quad \rho_{i-1} \leq \rho \leq \rho_i$

#### Advantages:

very easy and efficient to use in GR numerical simulations; Easy to include physical requirements as e.g. causality condition, and  $M_{max} \ge 2 M_{\bullet}$ <u>Disadvantages</u>:

No informations on the particle composition of matter.

No connection with the underlying microphysics of the strong interactions. No fundamental physics of dense matter modeling BNS mergers with polytropic EOS

G. Raaijmakers, T.E. Riela, A.L. Watts, A pitfall of piecewise-polytropic equation of state inference, MNRAS 478 (2018) 2177

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To be solved for any given value of the total baryon number density *n* 

#### **Nucleon Stars** (neutron stars with a nuclear matter core) Comparison of different EOS models





BL EOS: I. Bombaci, D. Logoteta, Astron. and Astrophys. 609 (2018) A128 I. Bombaci, D. Logoteta, (2017)

#### **Nucleon Stars** (neutron stars with a nuclear matter core) **Comparison of different EOS models** 2.5 2.5 PSR J0348+0432 2 GW170817 °WW 1.5 0.5 0.5 BL1 (ChPT) APR1 TM1-2 GM1 0.2 0.4 0.6 0.8 1.2 1.4 1.6 12 13 14 15 16 17 11 10 18 $\rho_c \, [\text{fm}^{-3}]$ R [km] BL EOS: I. Bombaci, D. Logoteta, Astron. and Astrophys. 609 (2018) A128 I. Bombaci, D. Logoteta, (2017)



I. Bombaci, D. Logoteta, A & A 609 (2018) A128







I. Bombaci and D. Logoteta (2018)

GW170817 data from: B. P. Abbot et al. (LIGO-Virgo collaboration), Phys. Rev. Lett. 119 (2017) 161101

## Selecting Nuclear Matter EOS: basic requirements

A prerequisite of any EOS of dense matter to be used in numerical simulations of Binary Neutron Stars merging relates to its capability to reproduce the experimental data of atomic nuclei and the empirical properties of nuclear matter at and around the nuclear saturation density  $n_0 = 0.16$  fm<sup>-3</sup>

#### Nuclear matter properties at the saturation density

EOS	n <sub>0</sub> (fm <sup>-3</sup> )	E <sub>0</sub> (MeV)	E <sub>sym</sub> (MeV)	L (MeV)	K <sub>0</sub> (MeV)
BL	0.17	-15.2	35.4	76.0	190
KVLBG	0.15	-16.1	35.2	70.2	251
WFF	0.19	-12.4	31.0	56.5	209
APR	0.16	-16.0	33.9	59.4	266
APR	0.18	-12.4	32.8	69.4	
empirical	0.16 ± 0.01	-16 ± 1	25 – 37	30 - 90	180 – 260
### Density dependence of the symmetry energy



IAS = constraint from Isobaric Analog States in nuclei (P. Danielewicz, J. Lee, Nucl. Phys. A922 (2014) 1)  $\Delta r_{np}$  = neutron skin thickness of heavy nuclei (X. Roca-Maza et al., Phys. Rev. C 87 (2013) 034301)

### Symmetry energy and Neutron Star Radius

Pressure in  $\beta$ -stable nuclear matter at the saturation density  $n_{\rho}$ 

$$P(n_{0}) \approx \frac{1}{3}n_{0}L\left[1 - \left(\frac{4E_{sym}(n_{0})}{\Box c}\right)^{3} \frac{4 - \frac{3}{L}E_{sym}(n_{0})}{3\pi^{2}n_{0}}\right]$$



$$R_{M} = C(n,M) [P(n)]^{1/4}$$

J. M. Lattimer, M. Prakash, Astrophys. J. 550 (2001) 426

$$M_{max} > 2.0 M_{\Pi}$$

$$R_{1.4} = C(n_0, 1.4) [P(n_0)]^{1/4}$$

$$C(n_0, 1.4) = 9.52 \pm 0.49 \frac{\text{km}}{(\text{MeV/fm}^3)^{1/4}}$$

$$R_{1.4} = 11.9 \pm 1.2 \text{ km}$$

J. M. Lattimer, Y. Lim, Astrophys. J. 771 (2013) 51

**Probing extreme matter with GWs** 

# **Key questions**

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## Hyperons in Neutron Stars: Hyperon Stars



### hyperons produce a strong softening of the EOS

NN(Av18) + NNN + NY(ESC08b) <u>no hyperonic TBF</u>

D. Logoteta, I. Bombaci (2014)

**Stellar mass** 





β-stable (n, p, Λ) matter interactions: NN+NN+NY+NNY
 D. Logoteta, I. Bombaci. I. Vidana (2019) preprint

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# Neutron Stars in the QCD phase diagram

# Lattice QCD at $\mu_{h}$ =0 and finite T

The transition to Quark Gluon Plasma is a crossover Aoki et ,al., Nature, 443 (2006) 675

Deconfinement transition temperature T<sub>c</sub>

HotQCD Collaboration

T<sub>c</sub>= 154 ± 9 MeV Bazarov et al., Phys.Rev. D85 (2012) 054503

Wuppertal-Budapest Collab. T<sub>c</sub>= 147 ± 5 MeV Borsanyi et al., J.H.E.P. 09 (2010) 073



### Neutron Stars: high $\mu_{\rm b}$ and low T

Lattice QCD calculations are presently not possible Quark deconfinement transition expected of the first order "A link between lattice QCD and measured neutron star masses" I. Bombaci, D. Logoteta, Mont. Not. Royal Astron. Soc. 433 (2013) L79



### **Identifying a first-order phase transition in NS mergers through GWs**

A. Bauswein et al. Phys. Rev. Lett. 122 (2019) 061102





### **Identifying a first-order phase transition in NS mergers through GWs**







This results depends on the phase-transition construction. The authors used the Maxwell construction

# **First-order phase transitions: phase equilibrium**

### **The Gibbs construction**

Neutron star matter is a multi-component system with two conserved

"charges" (electric charge and baryon number)

**Global charge neutrality:** 

each of the two phases can have a net and opposite electric charge

The Maxwell construction <u>One-component system (e.g. water)</u> <u>Local charge neutrality:</u> each phase in equilibrium is separately charge neutral.

N. Glendenning, Phys. Rev. D 46 (1992) 1274 N. Glendenning, Compact Stars, Springer, 1997

The two phases can coexist (mixed phase) in a finite range of presure

Constant pressure in the mixed phase. Since P(r) must be monotonic in NS, there is a sharp density discontinuity in the stellar core at the phase boundary.



#### D. Logoteta, I. Bombaci, Phys. Rev. D 88 (2013) 063001

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## Two coexisting-families of "Neutron Stars"



I. Bombaci, B. Datta, Astrophys. Jour. Lett. 530 (2000) L69

Z. Berezhiani, I. Bombaci, A. Drago, F. Frontera, A. Lavagno, Astrophys. Jour. 586 (2003) 1250

I. Bombaci, I. Parenti, I. Vidaña, Astrophys. Jour. 614 (2004) 314

I. Bombaci, D. Logoteta, C. Providencia, I. Vidaña, Astr. and Astrophys. 528 (2011) A71

I. Bombaci, D. Logoteta, I. Vidaña, C. Providencia, EPJ A 52 (2016) 58

A. Drago et al, EPJ A 52 (2016) 40; EPJ A 52 (2016) 41

1<sup>st</sup> order phase transitions are triggered by the **nucleation** of a **critical size drop** of the **new (stable) phase** in a **metastable mother phase** 

**Virtual drops** of the stable phase are created by small localized **fluctuations** in the state variables of the **metastable phase** 



#### A common event in nature, e.g.:

fog or dew formation in supersaturated vapor
ice formation in supercooled water
Pure and distilled water at standard pressure (100 kPa) can be supercooled down to a temperature of -48.3 °C. In the tempearture range (-48.3 - 0) °C, water is in a metastable phase and ice cristals will form via a nucleation process.

# **Metastability of Hadronic Stars**



Z. Berezhiani, I. Bombaci, A. Drago, F. Frontera, A. Lavagno, Astrophys. Jour. 586 (2003) 1250
I. Bombaci, I. Parenti, I. Vidaña, Astrophys. Jour. 614 (2004) 314
I. Bombaci, D. Logoteta, C. Providencia, I. Vidaña, Astr. and Astrophys. 528 (2011) A71
I. Bombaci, D. Logoteta, I. Vidaña, C. Providencia, EPJ A 52 (2016) 58
A. Drago, G. Pagliara, EPJA 52 (2016) 41



A. Drago, G. Pagliara, EPJA 52 (2016) 41

### **Two families of compact stars**



TM1-2\_Y + B=140\_a4=0.8

S. Bhattacharyya, I. Bombaci, D. Logoteta. A. V. Thampan, ApJ 848 (2017) 65

### **Two families of compact stars**





Burrows, Latenner, ApJ 30/ (1986) F/8, \* Prakash et al, Phys. Rep. 280 (1997) J Pons et al. ApJ 513 (1999) 780 **Thermal and neutrino-trapping effects** 

on proto-neutron star evolution and M concept

When the dynamical processes occuring in the first few seconds after the neutron star birth are considered, it is necessary to extend the concept of maximum mass of a neutron star with respect to the *classical* one

introduced by Oppenheimer & Volkoff in 1939

ASTROPHYSICS

#### "The maximum mass of a neutron star"

Leona Astronaux 2015 RELEAT (1996) 871 ASTRONOMY AND

#### The maximum mass of a neutron star

L Bombuci<sup>L2</sup>

1 Department of Physics, State University of New York 2: Stony Brock, Stony Brock, NY 11794, USA <sup>8</sup> Dipartine ata di Fisica, Università di Pisa, Piazza Terrecelli 2, 1-56300 Pisa, Italy (permanent address)

Received 1 June 1995 / Accepted 24 June 1995

Abstract. The concept of neutron star maximum mass is revise  $M_{52} \sim 210^{34}$  g the mass of the Sun. The main reason for the considered, the concept of neutron star maximum mass, as intro- of high dense hadronic matter. duced by Oppenheimer and Viskolli, is partially in dequate, We The Oppenheimer-Volkolli migrimum, mass May plays a show that be in the maximum mass purcept and the final stages - central role in the theoretical study of the emistates of stellar of the evolution of massive stars depend on the composition of evolution. Ultra-dense compact objects (i.e. collapsed reyond the neutron star material. In verticular, we find two different the white dwarf configuration) may have a stable caulibrium

ited. In particular we show that when the dynamical processes lack of a better theoretical value of the neutron star maximum occurring in the first few seconds after the neutron star birth are mass being our poor knowledge of the enturior, of state (EOS)

scenaries depending on the absence or presence of nearinghy configuration until their gravitational mass of is use tion or

**"Composition and** See also: structure of protoneutron stars" M. Prakash, I. Bombaci, M. Prakash, P.J.Ellis, J.M. Lattimer, R. Knorren, Phys. Rep. 280 (1997) 1



### Neutrino-trapping effects on proto-neutron star evolution and $M_{max}$ concept



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#### 2.5 EoS: TM1-2 (n,p,Y,e,µ) EoS: TM1-2 (n,p,Y,e,u 2.05 eutrino-free neutrino-free neutrino trapped - - neutrino-trapped neutrino-free M<sub>G</sub> - - neutrino-trapped W<sup>IIIS</sup> 1.95 M/Msun 1.9 0.5 1.85 1.8 <sup>2.15</sup> 2.3 M<sub>B</sub>/M<sub>sun</sub> 2.25 2.05 2.1 2.2 2.3 2.35 12 13 14 15 16 17 Radius (km)

#### **Composition:** nucleons + hyperons + leptons

### Neutrino-trapping effects on proto-neutron star evolution and $\mathbf{M}_{\max}$ concept



#### **Composition:** nucleons + hyperons + leptons

# **NS-NS merging and dense matter EoS**

- 1) Early-inspiral phase
  - point-like objects,
- **No EoS dependence (except M (EoS)**)
- **2)** Late-inspiral phase  $d \approx (1 \div 10) d_{merg}$

tidal deformations of NSs

- **EoS** : cold (T = 0). neutrino-free matter
- 3) Post-merger compact object

rapidly-differentially-rotating proto-NS

**EoS:** hot (T = 10–100 MeV), neutrino-trapped matter

$$t_{\rm weak} \sim 10^{-9} \, {\rm s} \, , \qquad t_{\rm trapp} \sim \, (10 - 30) \, {\rm s}$$

$$d >> d_{merg} \equiv \min\left[ (R_1 + R_2), \ \frac{6G}{c^2} (M_1 + M_2) \right]$$

$$Q_{ij} = \lambda \varepsilon_{ij}$$



### metastable proto-NS

Extra slides

### Merger remnant reaches extreme densities



- Baryon number density n ~ 3-5 n<sub>nuc</sub>
  Extra DOF/phase transitions?
- Specific model: Λ-hyperons [Banik+ 2014] Microphysical EOS compatible with astro and nuclear phys constraints
  - In general: Can GW probe "softness" effects ?

Radice, SB, Del Pozzo, Roberts ApJL 2016

See also [Sekiguchi+ 2011, Bauswein+ 2018, Most+ 2018]

## Postmerger GWs and "softness effects"



- Postmerger GW morfology contains unique info
- Detailed and generic models are necessary for DA studies
- High-freq. GW challenging to detect (→ Einstein telescope)

Radice, SB, Del Pozzo, Roberts 2016

# Sample over EoS

Advantages:

- Extract microphysics directly
- Include additional informations e.g. causality limit, minimum maximum-mass constraint
- Naturally combine multiple events

Disadvantages:

- Hard to sample
- Parameterization model dependent (Can be solved with Gaussian-Process)



Plot taken from Carney *et.al* (2018)

#### Can be overcome with Gaussian-Process with a cost



Plot taken from Landry et.al (2019)

Detectors (A)	GW170817		Multiple events					
	$ ho^A_{ m GW170817}$	$\sigma^A_{ m GW170817}$	NA			$\sigma_N^A$		
			Low	Central	High	Low	Central	High
	1	0		-	1	· · · · · · · · ·		
O2	$3.2 \times 10^{1}$	$1.7 \times 10^2$		—	—	-	—	—
aLIGO	$9.1 \times 10^1$	$1.1 \times 10^2$	$2.0 \times 10^1$	$9.8 \times 10^1$	$3.0 \times 10^2$	$1.8 \times 10^2$	$8.3  imes 10^1$	$4.7 \times 10^1$
A+	$1.8 \times 10^2$	$4.6 \times 10^1$	$1.6 \times 10^2$	$7.9 \times 10^2$	$2.4 \times 10^3$	$5.9 \times 10^1$	$2.5 \times 10^1$	$1.4 \times 10^1$
Voyager	$4.3 \times 10^2$	$2.5 \times 10^1$	$2.2 \times 10^3$	$1.1 \times 10^4$	$3.2 \times 10^4$	$2.1 \times 10^1$	$9.6  imes 10^0$	$5.3  imes 10^0$
ET-D	$1.4 \times 10^3$	$6.9  imes 10^0$	$7.2 \times 10^4$	$3.4 \times 10^5$	$1.1 \times 10^6$	$3.8 \times 10^0$	$1.7 \times 10^0$	$9.6 \times 10^{-1}$
CE	$2.8 \times 10^3$	$7.7 \times 10^0$	$3.0 \times 10^5$	$1.4 \times 10^6$	$4.4 \times 10^6$	$3.7 \times 10^0$	$1.7 \times 10^0$	$9.0 \times 10^{-1}$

- Systematic error of 13.19
- Statistical error become comparable with systematic error with detectors of Voyager-class or better
## Selection bias



