



Simulating transient noise bursts in LIGO

WITH GENERATIVE ADVERSARIAL NETWORKS

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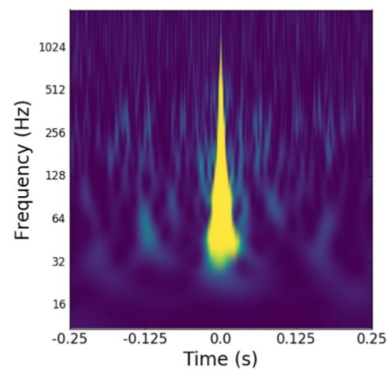
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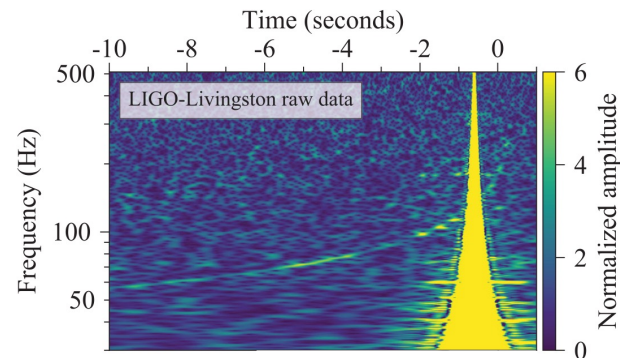
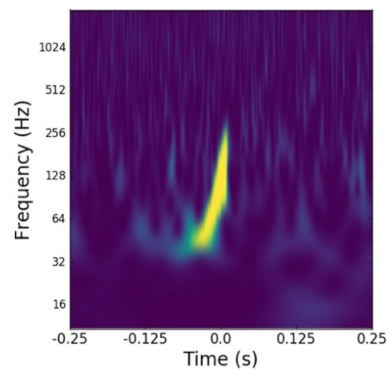
WG1-g2Net 2022

Transient noise in LIGO (glitches)

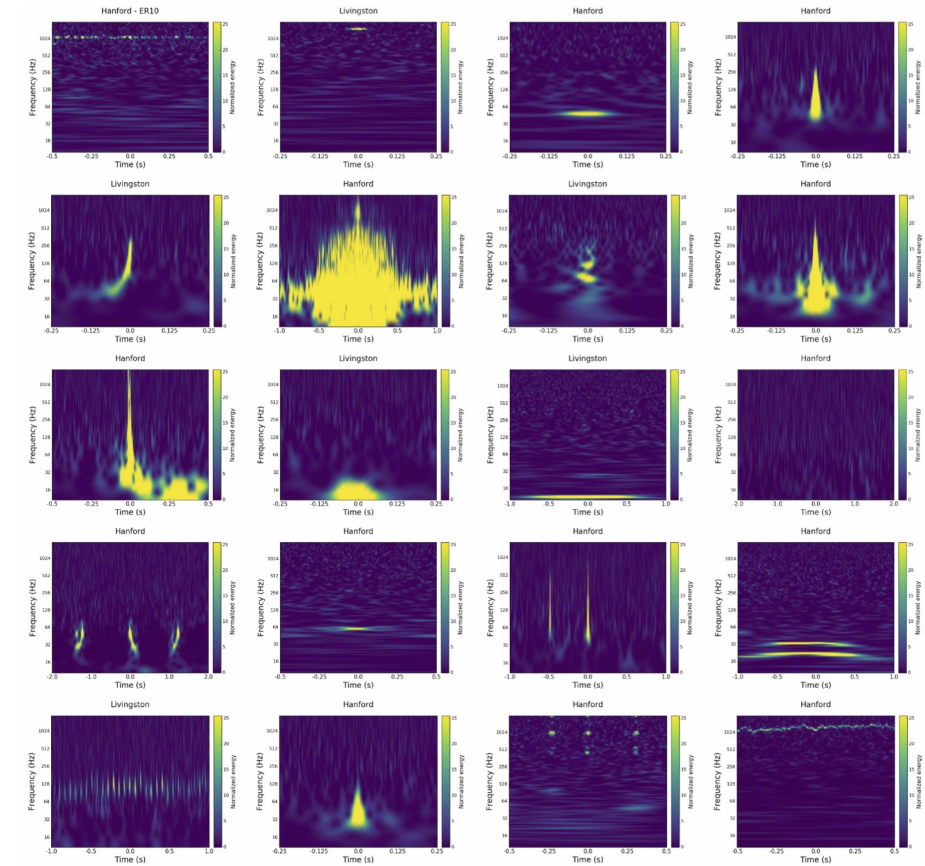
- Caused by instruments or environment (known or unknown)
- Diminish scientific data available
- Hinder GW detection (mask and/or mimic)



Example of a blip glitch (left) and a high mass BBH (right)



GW masked by glitch (GW170817)

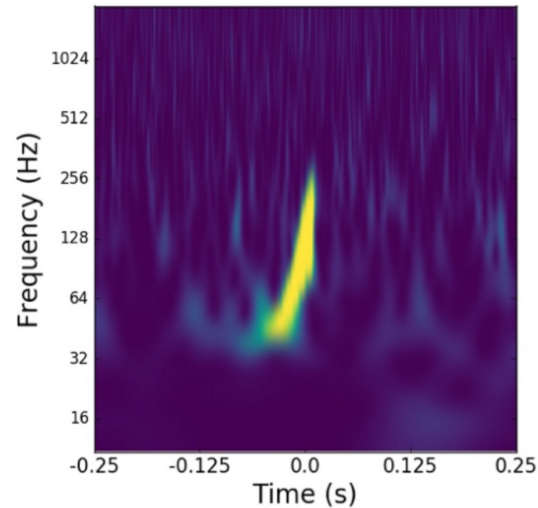
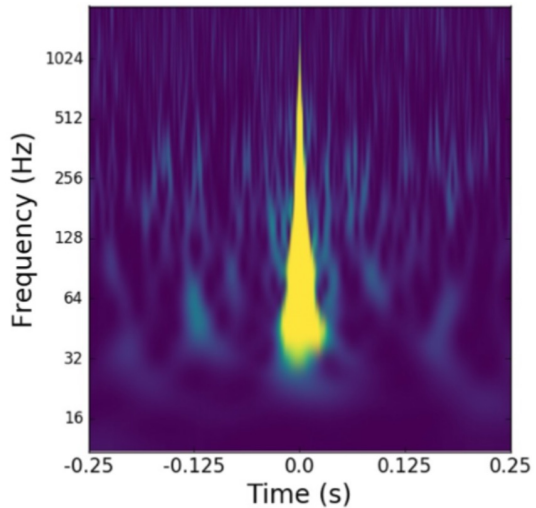


Examples of glitches.

Motivation

- Create an open-source interface for producing time-domain glitch “waveforms”
- Generate glitches in time domain with GANs
- To use in different applications

Data set



Example of a blip glitch (left) and a high mass BBH (right)

We focus on blips
from L1 and H1, O2

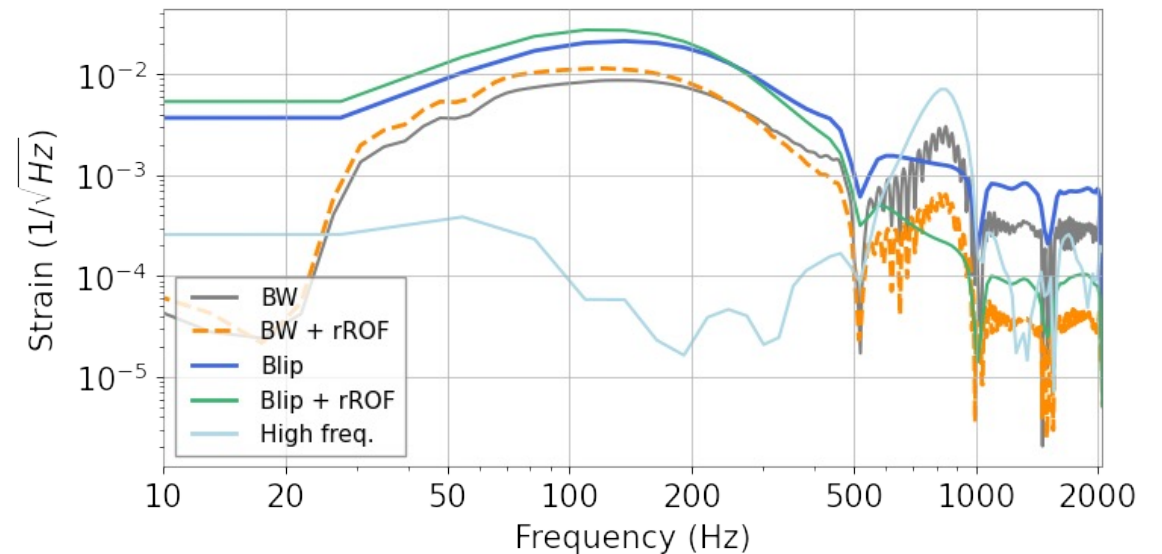
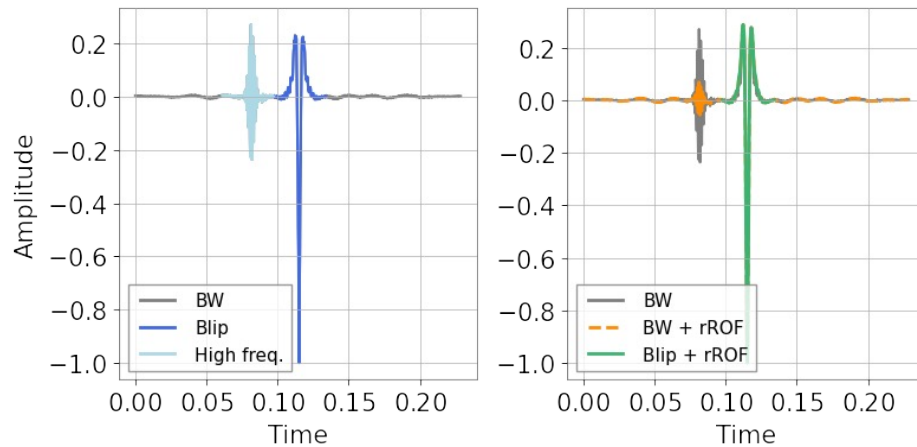
Simple morphology
and abundant

Similar to other GWs

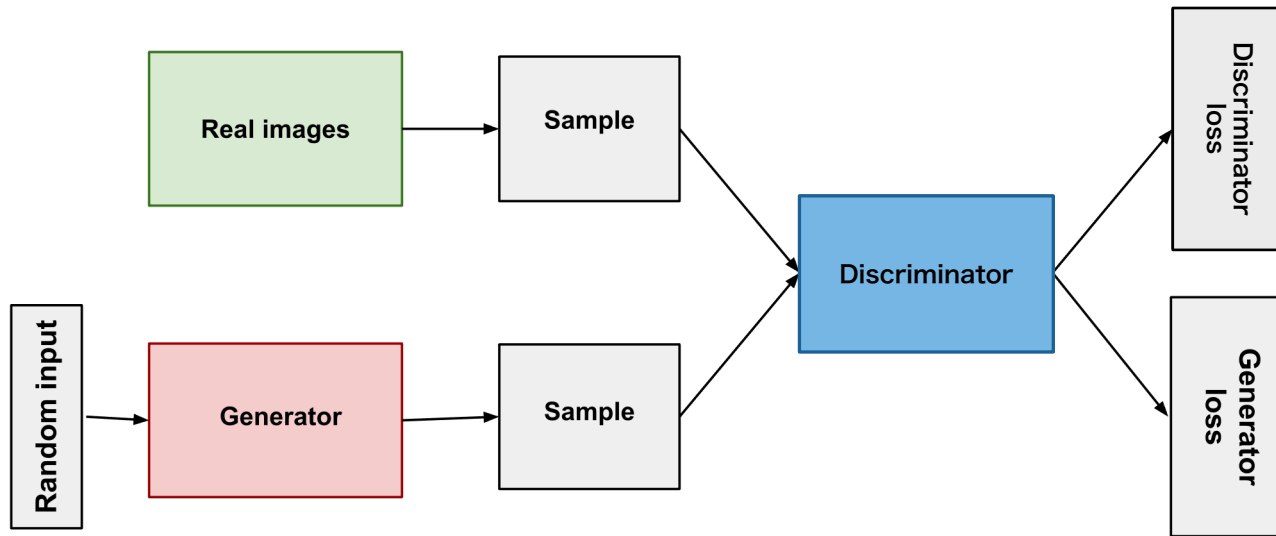
[30, 250] Hz

The noise will hinder our Machine Learning algorithm.
Can we separate the glitch from the noise?

Pre-processing



Generative Adversarial Networks



- Used to learn the underlying distribution of the data
- Inspired by Game Theory: game with 2 networks
- Use Wasserstein loss: discriminator till optimality
- Very unstable process
- Penalize the network to stabilize it

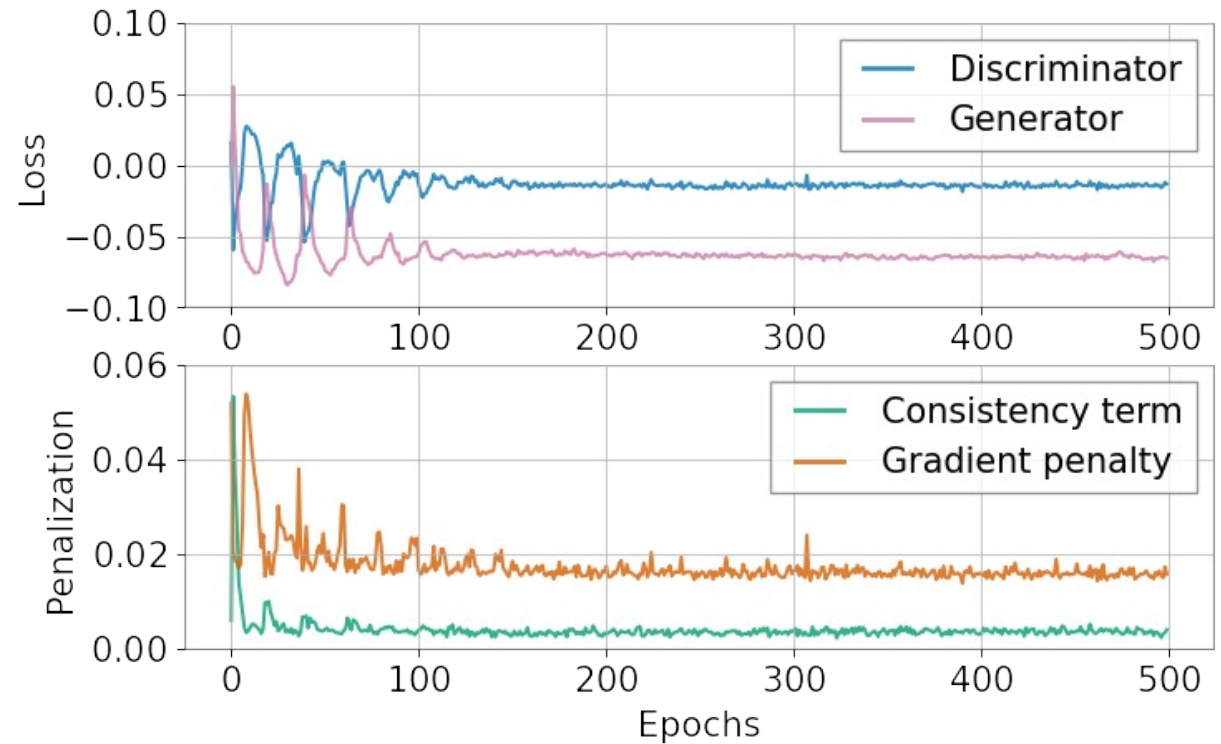
Network employed: CT-GAN (Wei, ICLR 2018)

CT-GAN: GP + CT with Dropout

Some intuition from the experiments:

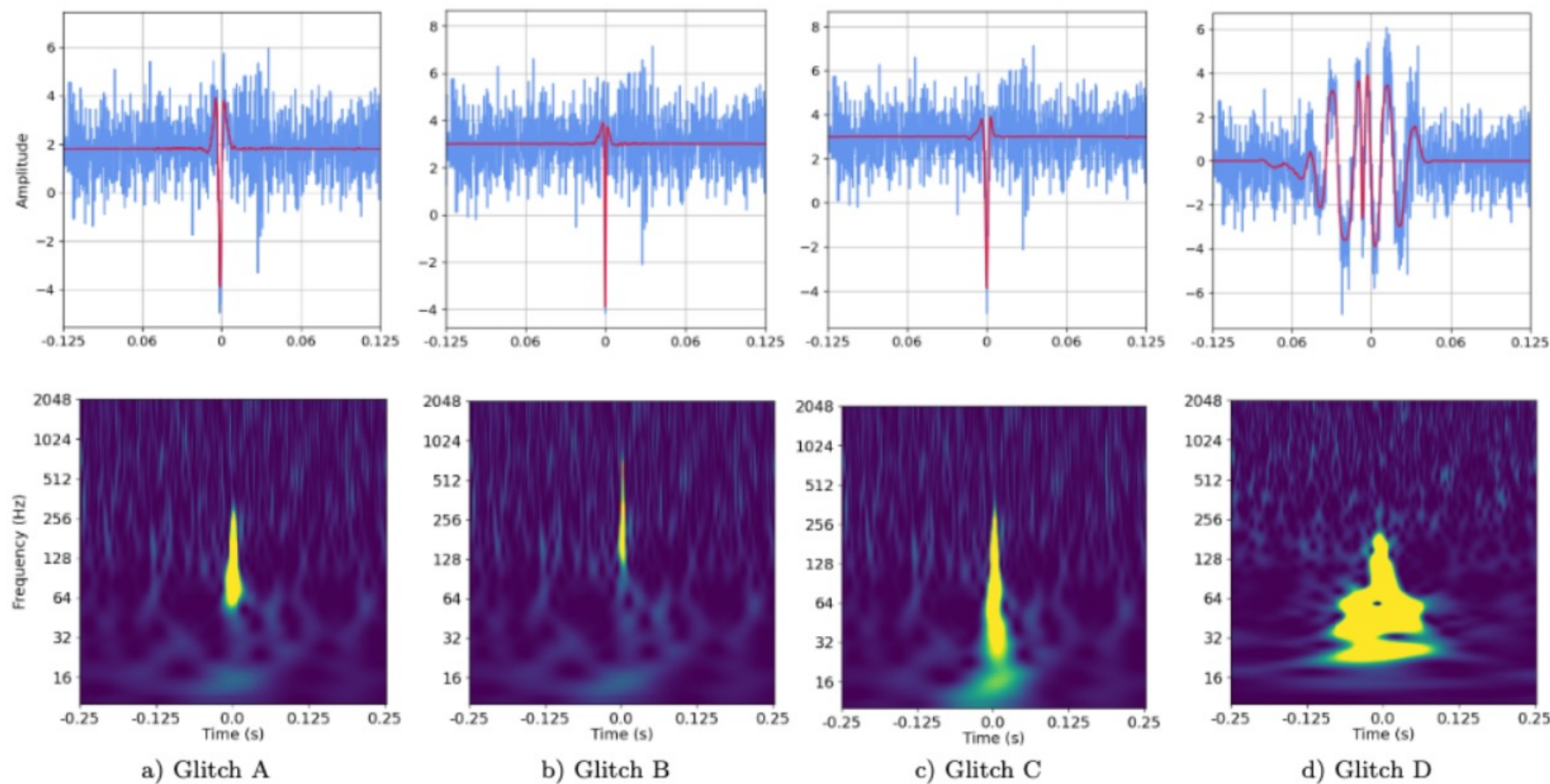
- Gradient Penalty (GP): balances the loss of the discriminator and generator
- Consistency term (CT): regularizes the generator.
- Dropout: regularizes the discriminator.

Both terms tend to zero when the network is stable.



Building a fake population of blips

CT-GAN learnt to generate reliable blips but also anomalies, since our real data set is not perfect.



Simulated glitches in real whitened noise from H1. (Top) timeseries representation. (Bottom) Q-scan representation.

Metrics to avoid misgenerations

Define metric m

$m(b_i, b_j) :=$ similarity between two signals b_i and b_j .

$m(B, b_j) := \mu(M_j) \pm \varepsilon(M_j)$ where $M_j := \{m(b_i, b_j) \mid b_i \in B\}$

Wasserstein distance (W_1): or Earth's mover distance estimator computes similarities between two distributions.

Match function (M_f): inner product between two normalized signals maximized over time t and phase ϕ .

$$M_f(a, b) := \max_{t, \phi} \langle \hat{a}, \hat{b} \rangle.$$

Normalized cross-covariance (k): assuming two random processes X and Y ,

$$k = \max \left(\frac{K_{X,Y}(t_1, t_2)}{\sigma_X \sigma_Y} \right) \quad \text{where} \quad K_{X,Y}(t_1, t_2) \equiv E[(X_{t_1} - \mu(X_{t_1}))(\overline{Y_{t_1} - \mu(Y_{t_1}))}]$$

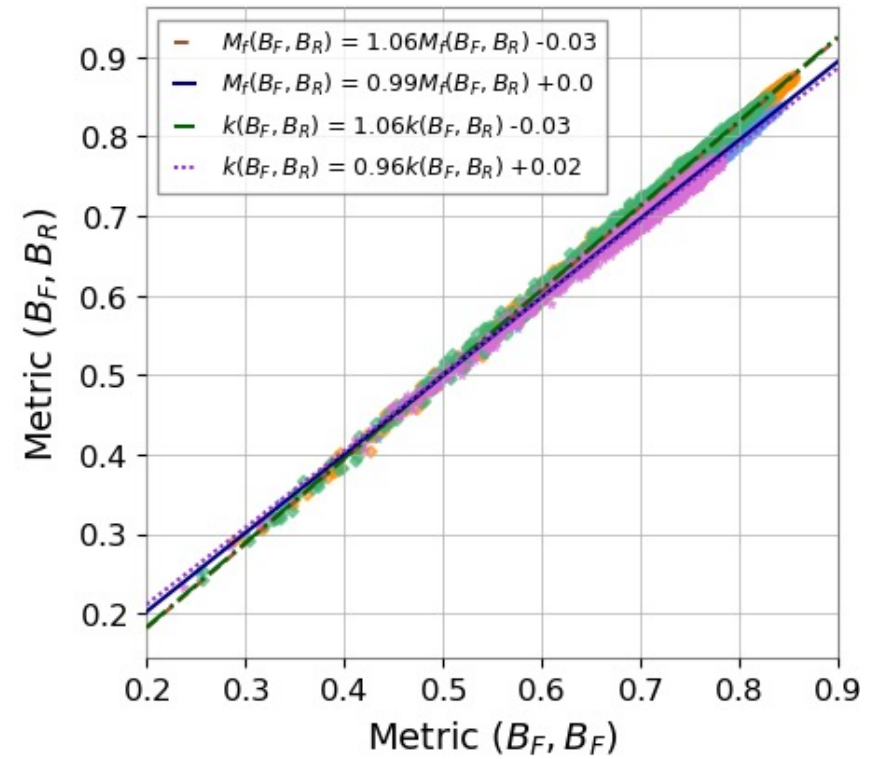
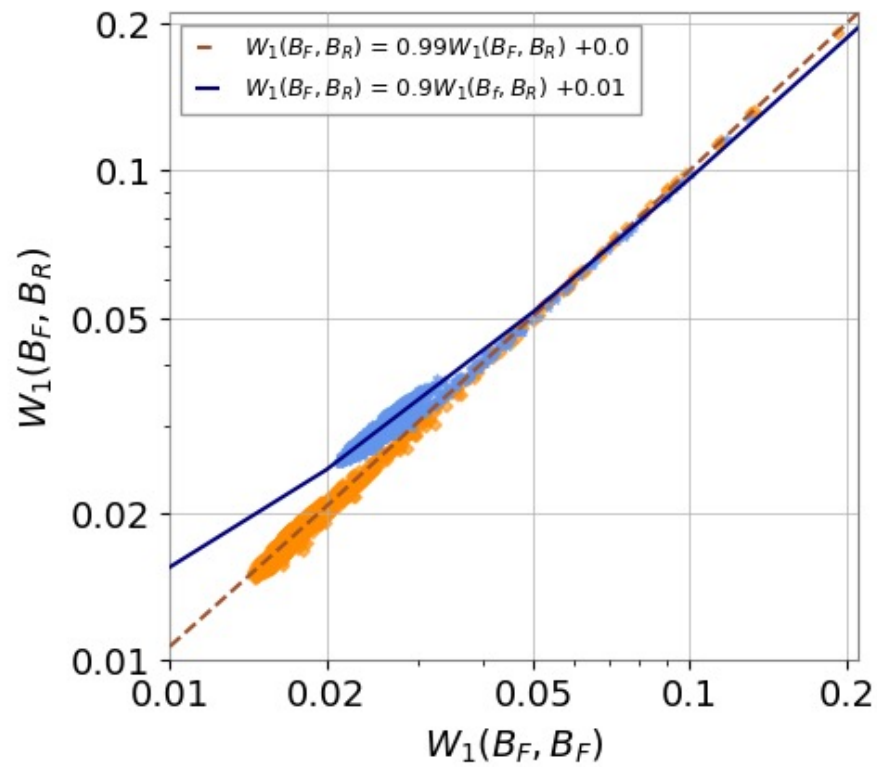
Hypothesis description

Assumption: CT-GAN learnt the underlying population except certain anomalies

- If b_j is reliable blip, it will represent both real and fake populations $\rightarrow m(B_{real}, b_j) \approx m(B_{fake}, b_j) \approx 1.0$
- If b_j is anomalous blip, it will not represent both real and fake populations $\rightarrow m(B_{real}, b_j) \approx m(B_{fake}, b_j) \approx 0$

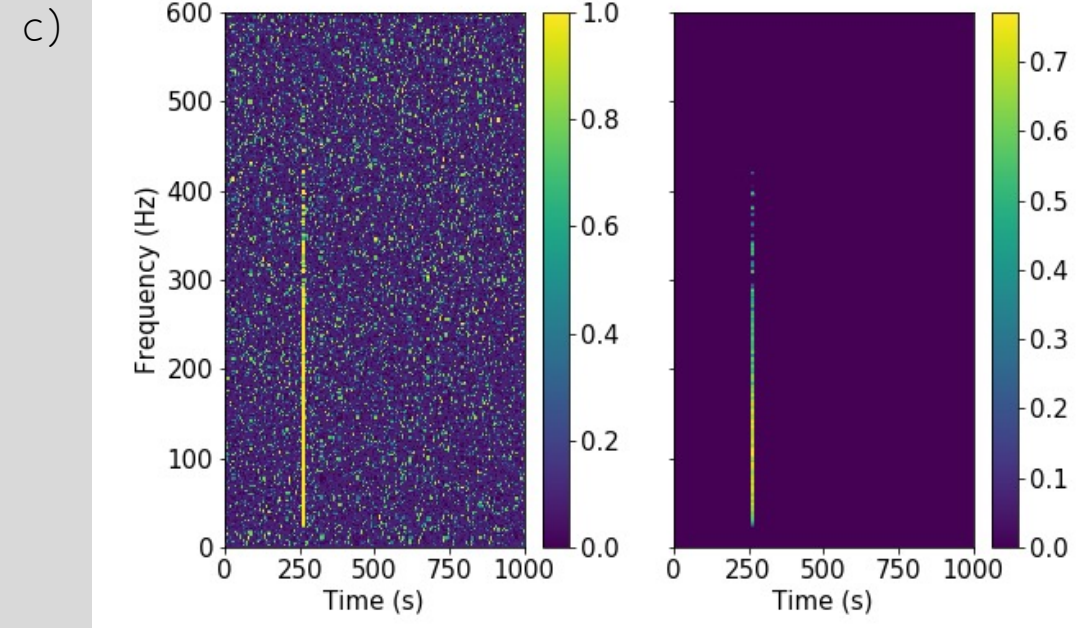
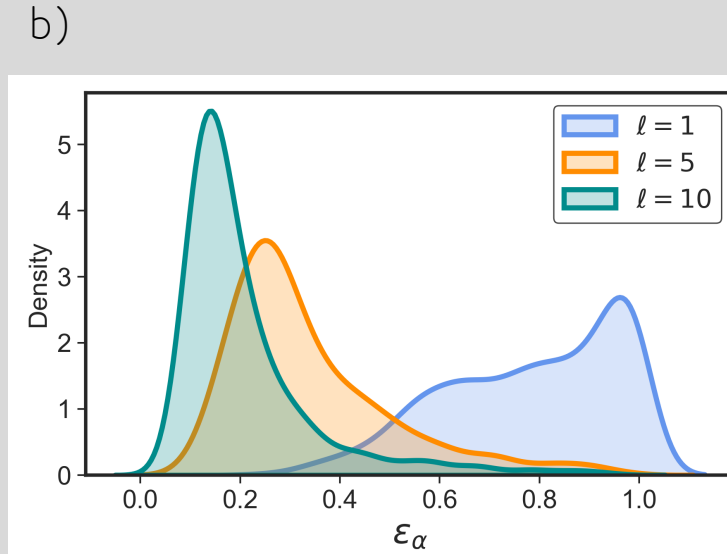
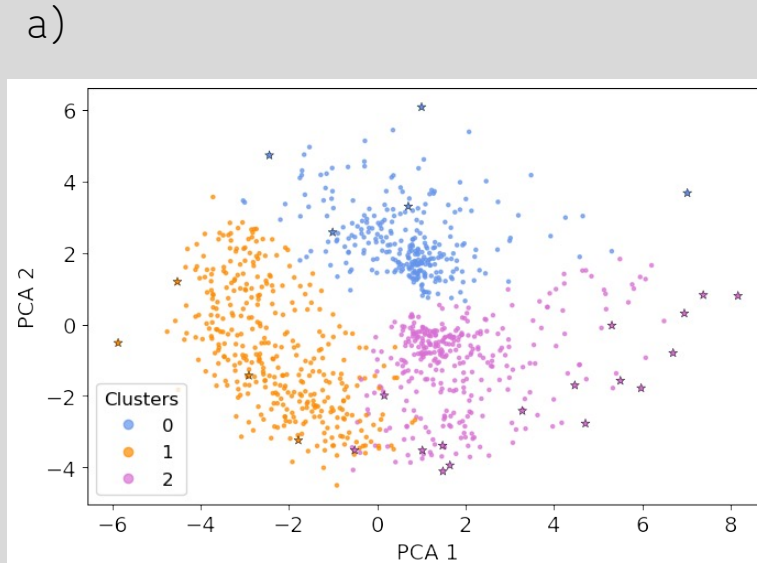
Hypothesis: $m(B_{real}, b_j)$ and $m(B_{fake}, b_j)$ are linearly correlated.

Results



Applications

- a) Glitch population statistics
- b) Glitch template bank
- c) Mock data challenges.
- d) New glitch detection
- e) Improving glitch classification



Colouring, resampling and rescaling

CT-GAN

$$\xrightarrow{g_w} g_c = \text{ifft}(\sqrt{\text{PSD}} \tilde{g}_w)$$

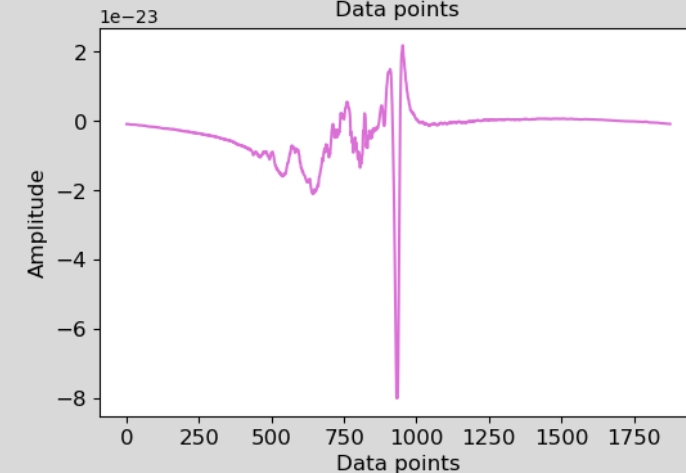
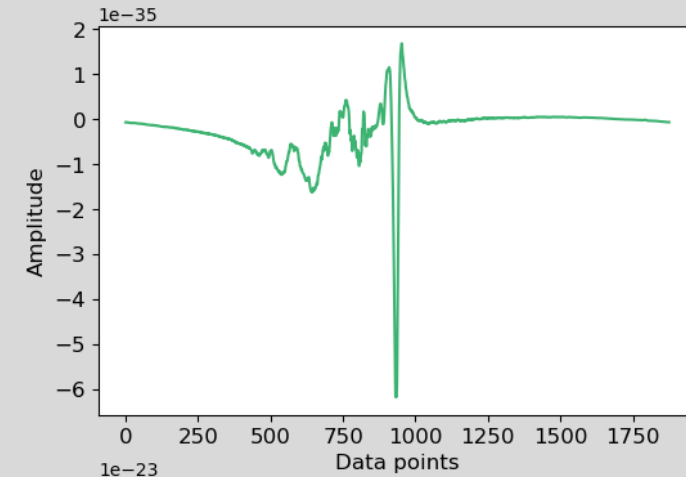
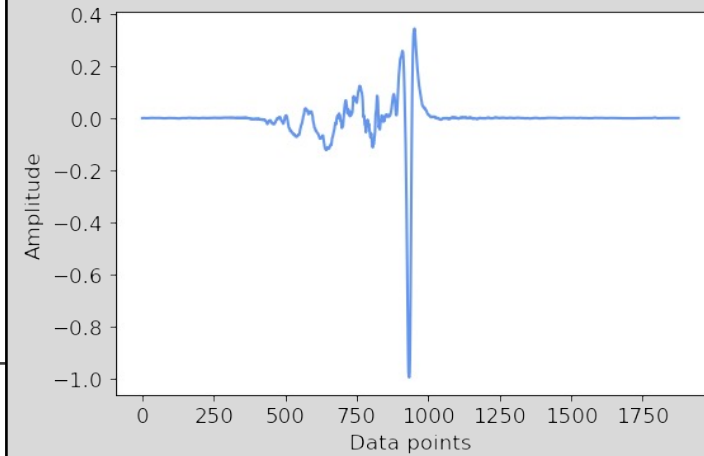
CT-GAN

$$\xrightarrow{g_{4k\text{ Hz}}} g_{8k\text{ Hz}} = \text{resample}(g_{4k\text{ Hz}})$$

CT-GAN

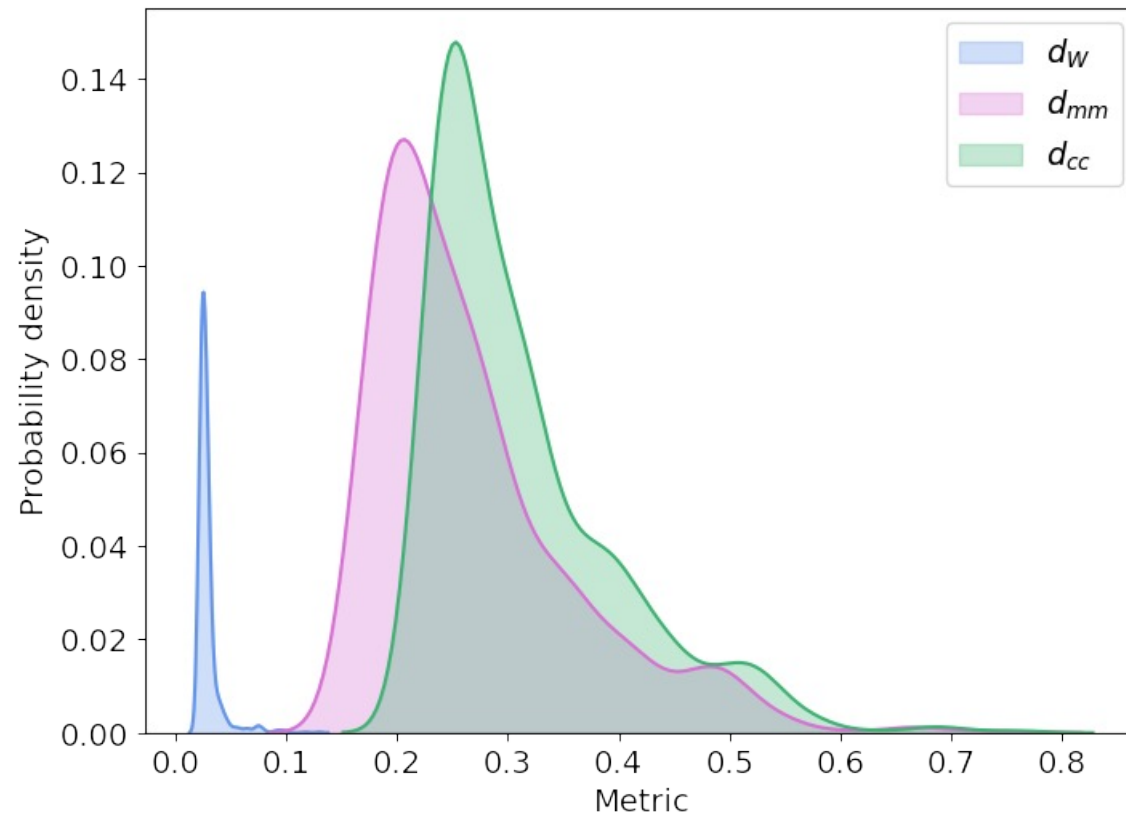
$$\xrightarrow{g_\rho} g_{\rho_{\text{opt}}} = 4\alpha^2 \int_{f_{\min}}^{f_{\max}} \frac{|\tilde{g}(f)|^2}{\text{PSD}(f)} df = \alpha^2 g_\rho$$

$$g_{c,\rho} + n_c = s_c \longrightarrow s_w$$



Selecting reliable generations

Build initial data set (1000 samples) to compute the confidence of the generated glitch



d_W : Wasserstein distance
 d_{mm} : Mis-match (1- match)
 d_{cc} : Cross covariance (1 - k)

Percentile $p \in [0.0, 1.0]$

If the generated glitch is in the percentile region it is accepted. Otherwise, it is dropped.

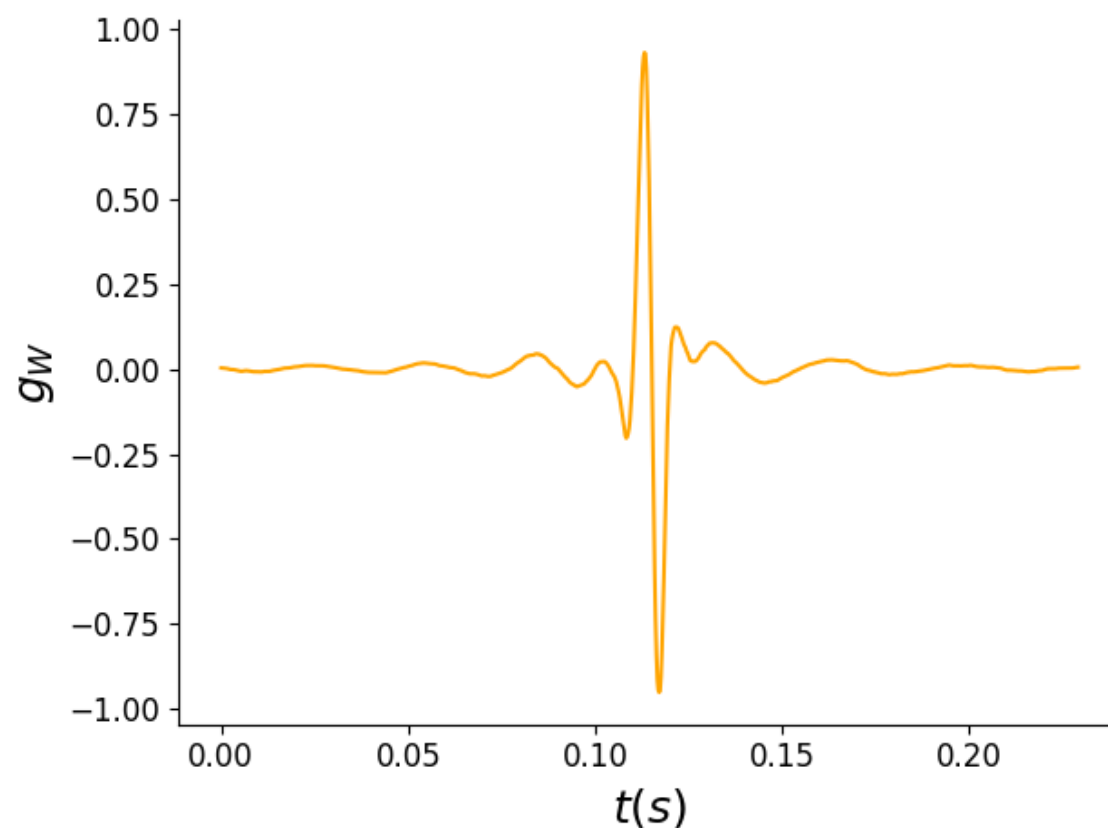
A practical example with *gengli*

GitHub repository (work in progress): <https://git.ligo.org/melissa.lopez/gengli>

```
import gengli
```

```
g = gengli.glitch_generator('L1')  
g_whithened = g.get_glitch()  
g_coloured = g.get_glitch(10,  
    srate = 16384,  
    psd = 'EinsteinTelescopeP1600143',  
    SNR = 10)
```

Full example: [plot_glitch.py](#)



Conclusion and future work

- o We can generate blip glitches.
- o Generated blips represent the real blip population.
- o Construct a full pipeline for glitch generation.
- o Generalize to other types of glitches.
- o Application of artificial data set.

<https://arxiv.org/abs/2203.06494>

<https://dcc.ligo.org/P2200115>

Thank you for listening!

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