

SEISMIC GLITCHNESS AND NEWTONIAN NOISE AT THE CANDIDATE SITES

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with the contribution of many other people involved in these activities...

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Outline

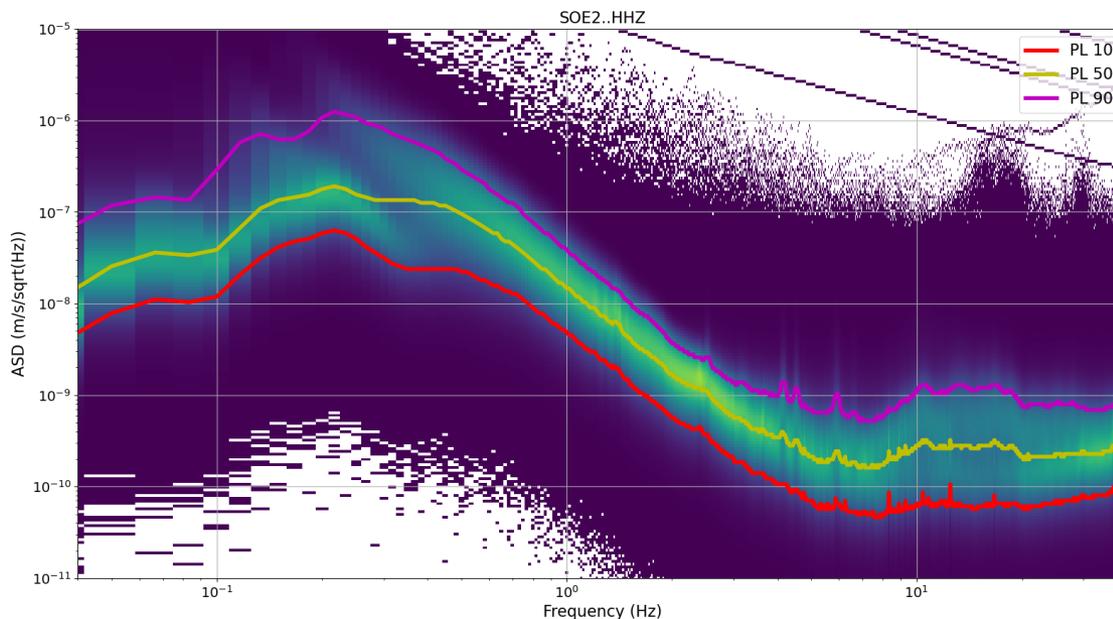
- Introduction
- Newtonian Noise
- Newtonian Noise Glitchness
- Results of the analysis
- Conclusions

Introduction

- We focused on the effect of Newtonian Noise on the low frequency band (2-10 Hz) for the GW sources whose expected signal is limited in that band, for example coalescence of Intermediate Mass Black Holes;
- The Newtonian Noise is expected to be one of the dominant noise source in this frequency band;
- An excess of Newtonian Noise, even for a short time interval, could even completely hide such kind of signals;
- The aim of this work is to provide a lower limit for the detectability of short duration signals in the low frequency band, like IMBH;

Motivation

- Newtonian Noise have a large variability, depending on the site, season, weather and other local conditions;
- The variability can be easily recognized by directly analyzing the seismic noise



Seismometer at Sos Enattos
Placed in cavern at -111 m
Data from:
21/12/2021
to
20/12/2022

- Variability of about one order of magnitude in the 1-10 Hz band

Simple Model

- The NN can be estimated from the measured seismic noise using a simplified model:

- $$\tilde{h}_{NN} = \frac{4\pi}{3} G \rho_0 \frac{2\sqrt{2}}{L} \frac{1}{(2\pi f)^2} \tilde{x}$$

F. Amann et al. 2020 Rev Sci Instrum. **91** 094504

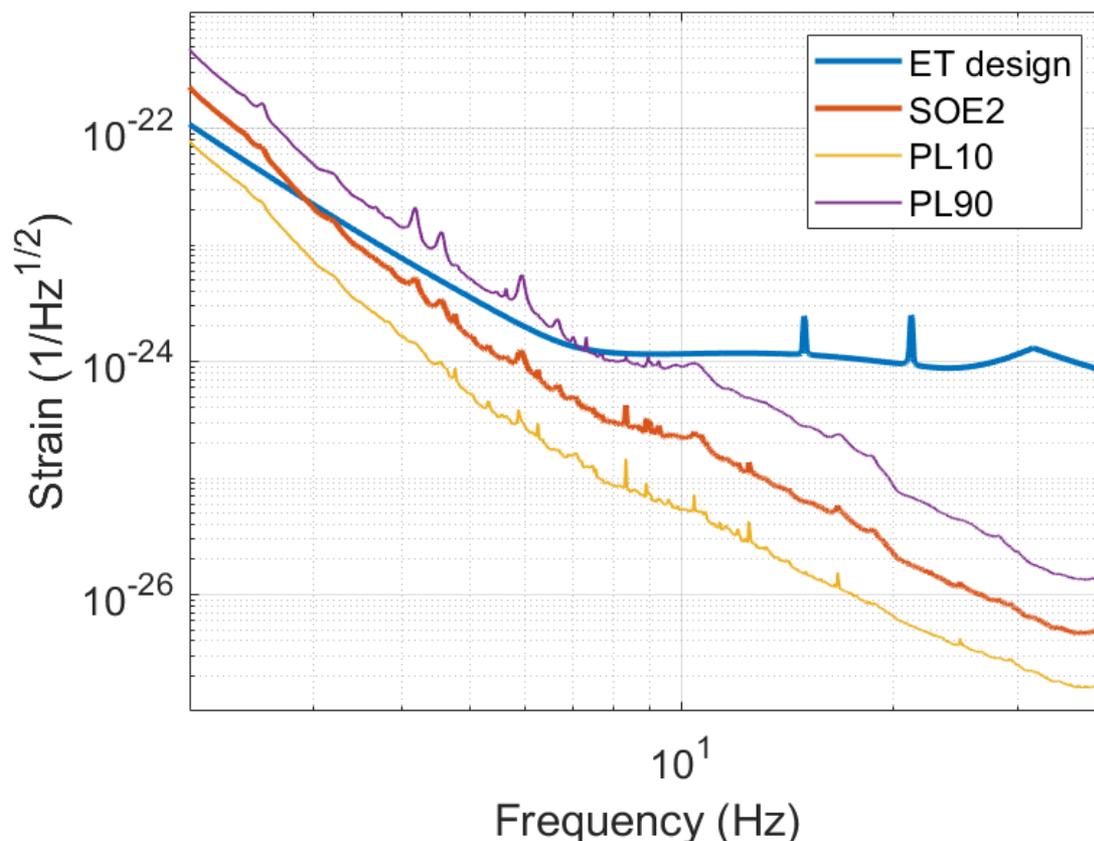
- Assuming:
 - Contribution only from body waves;
 - 1/3 of contribution to seismic noise coming from compressional waves;
 - Spherical or cubic cave;
 - Uncorrelated NN on the ITF Test Masses;
- Other mechanism can increase the NN level;
- Anyway, this expression provides for a credible lower limit;

J. Harms et al.,
Eur. Phys. J. Plus (2022) 137:687

Newtonian Noise

Simple Model

- Example: Projection of the NN with the measurements collected at Sos Enattos, at level 2 (111 m underground): median and 10, 90 percentiles;



Noise to Target Ratio

- Anyway, a simple projection does not consider the non-stationarity of NN (Glitchness) on the detectability of short duration GW signals.
- To this aim a more effective indicator is the so-called Noise to Target Ratio (NTR):

$$NTR = \sqrt{\frac{1}{\Delta f} \int_{f_1}^{f_2} df \frac{\tilde{h}_{NN} \tilde{h}_{NN}}{S_n}}$$

A. Allocca et al.,
 Eur. Phys. J. Plus (2021) 136:511

- S_n is the PSD of the ET target sensitivity;
- $\Delta f = f_2 - f_1$ is the selected bandwidth;

Noise to Target Ratio

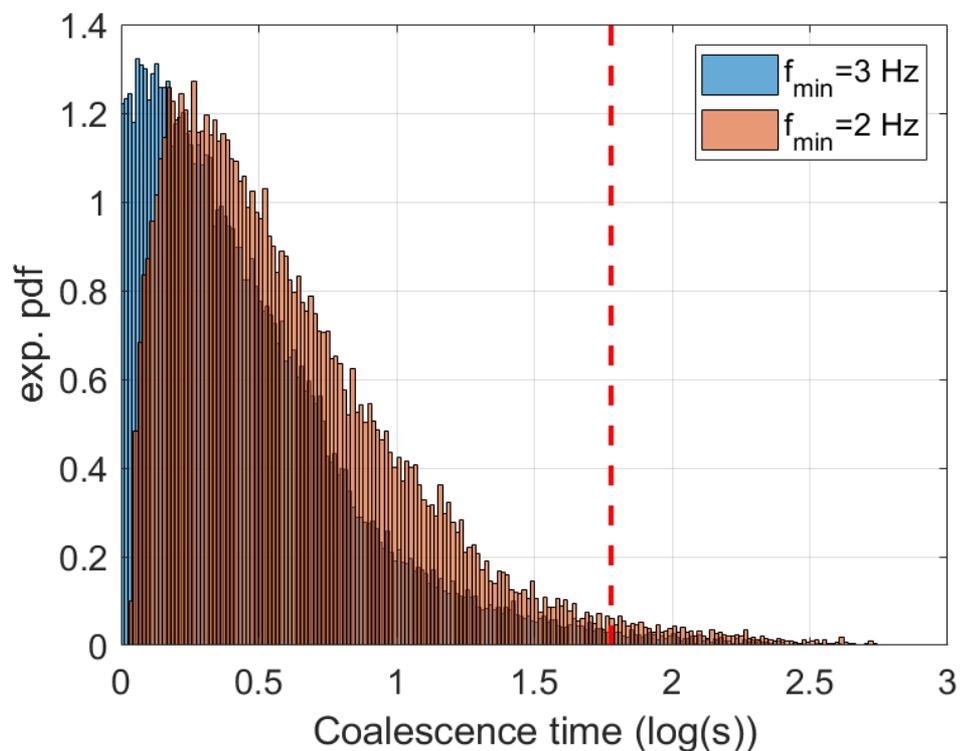
- A value of NTR larger than one implies that, in the selected dataset, the contribution of the NN is limiting the ET sensitivity;
- If the bandwidth of the GW signal is larger than f_2 one can recover the signal since the NN is not significant for high frequency ($f_2=10$ Hz);
- Otherwise, the GW signal is fully lost;
- In order to quantify the impact of the NN glitchness, it is necessary to fix a time scale for the typical signal duration;

Time Window Definition

- To choose the right time window for the NTR we set a reference mass m of the binary BH system from the relation:
- $$\frac{m}{M_{\odot}} = 2.2 \text{ kHz} \frac{1}{f_{ISCO}}$$
- with $f_{ISCO} = \frac{f_2}{2}$
- than, by randomly selecting the masses m_1 and m_2 according to the condition:
- $$f_1 < 4.4 \text{ kHz} \frac{M_{\odot}}{m_1 + m_2} < f_2$$
- we obtain the coalescence time:
- $$\tau = 2.2 \text{ s} \left(\frac{1.21 M_{\odot}}{M_c} \right)^{\frac{5}{3}} \left(\frac{100 \text{ Hz}}{f_1} \right)^{\frac{8}{3}}$$

Time Window Definition

- This procedure was applied in two different cases:
 - $f_1=2$ Hz, $f_2=10$ Hz
 - $f_1=3$ Hz, $f_2=10$ Hz



- In both cases, by setting $\Delta t=60$ s more than 97% of the resulting coalescing time is included

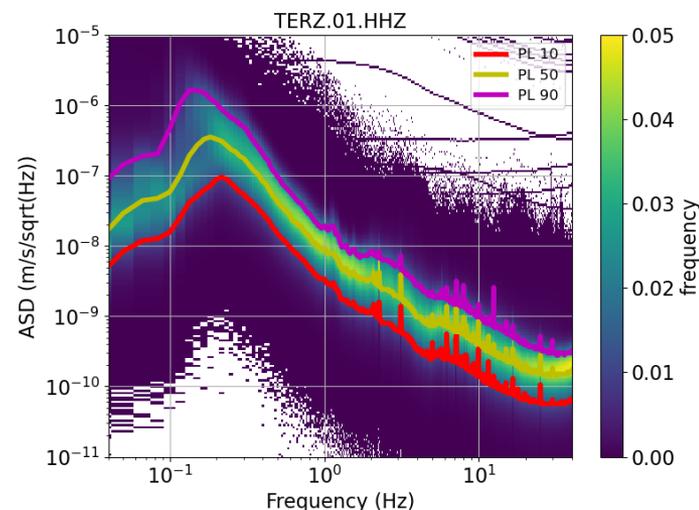
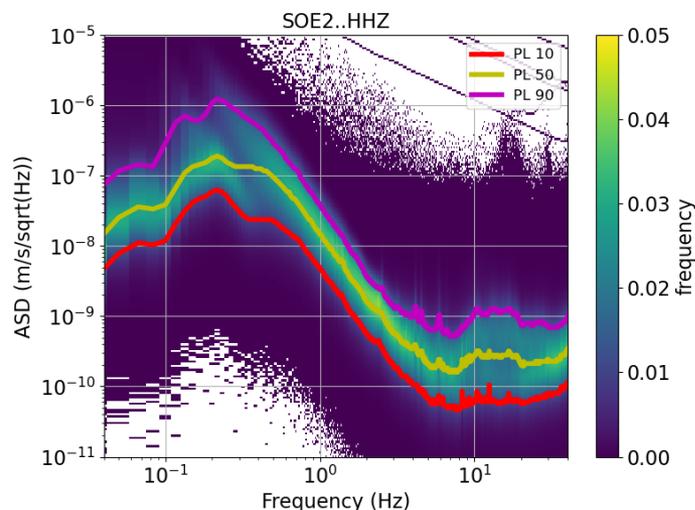
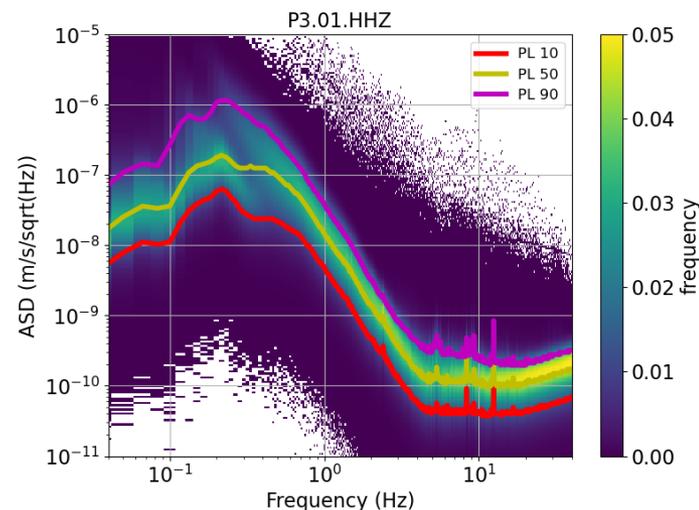
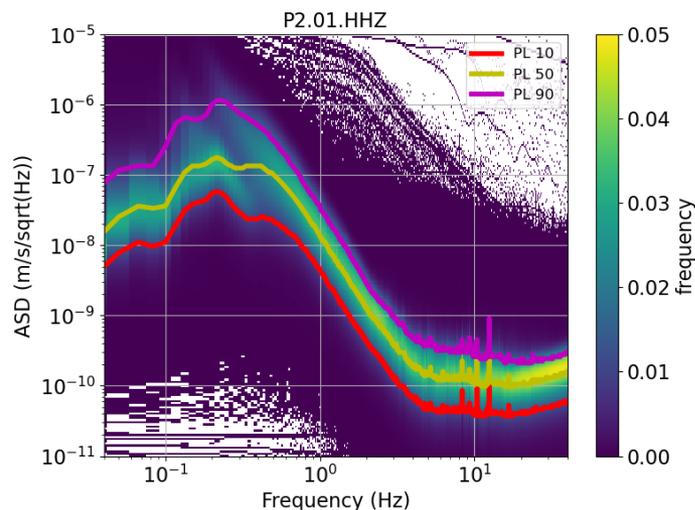
Results of the Analysis

Location and time interval

- Once selected the time window, the NTR can be computed over a long-time interval by properly processing the seismic data collected in that interval;
- In particular, this procedure was applied to seismic data collected in:
 - Terziet (Euregio Meuse-Rhine):
 - NL.TERZ.01.HHZ: seismometer at -250 m;
 - Sos Enattos (Sardinia):
 - ET.P2.01.HHZ seismometers at -250 m;
 - ET.P3.01.HHZ seismometers at -250 m;
 - ET.SOE2..HHZ: seismometer at -111 m;
- Time interval: 21/12/2021 – 20/12/2022

Seismic Noise

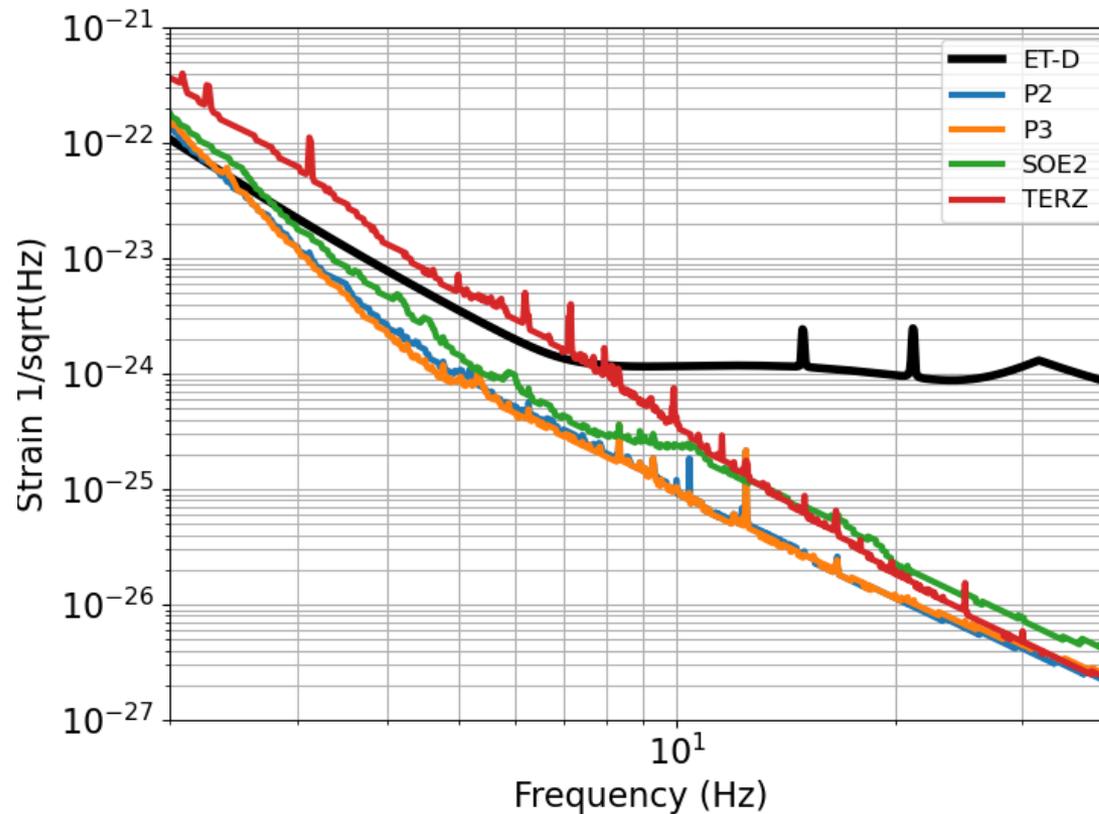
- Variability of seismic noise in the selected locations



Results of the Analysis

Newtonian Noise

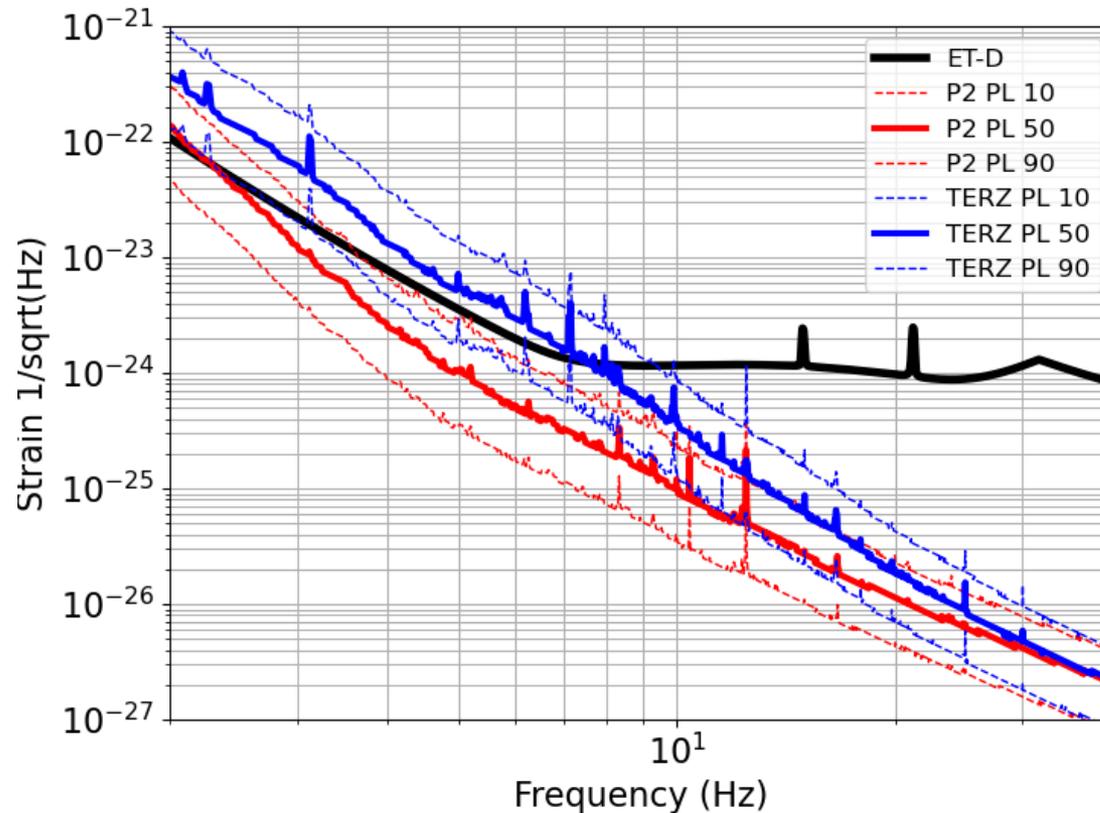
- A rough comparison can be done by directly estimating the NN from the median spectra



Results of the Analysis

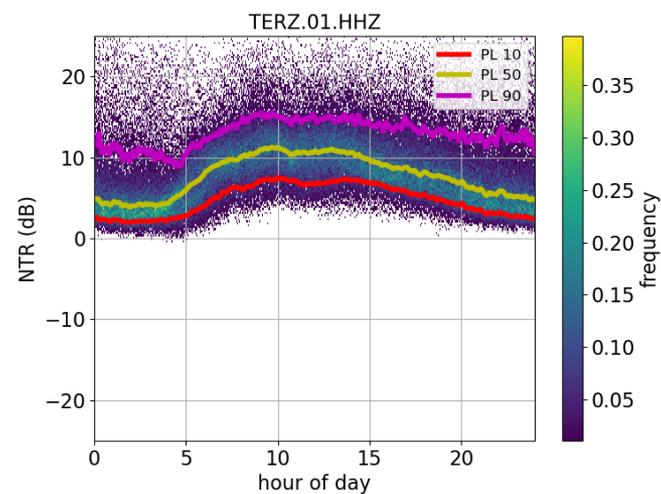
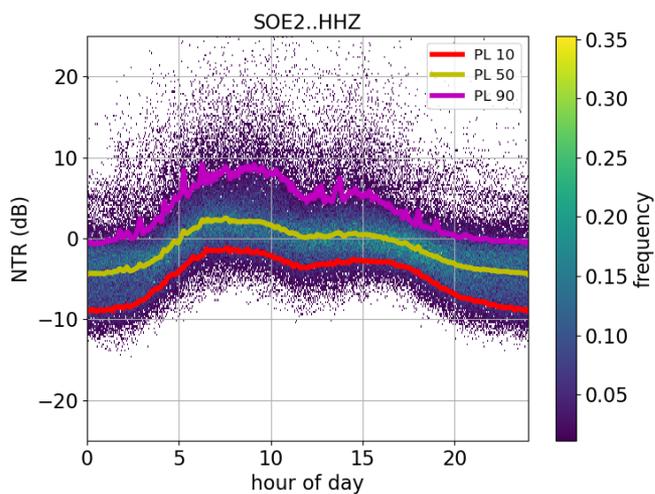
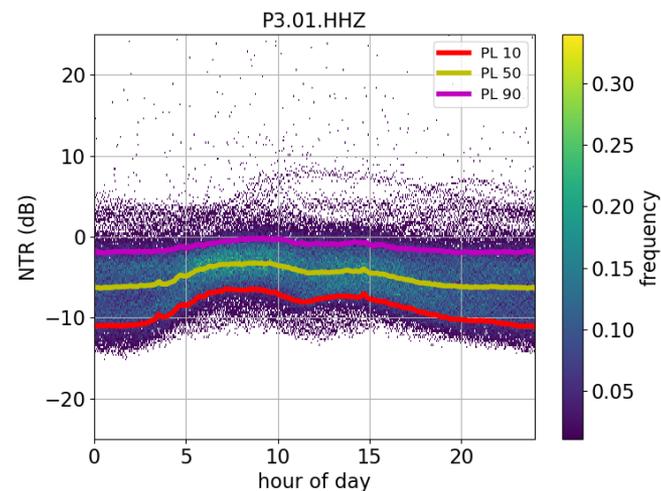
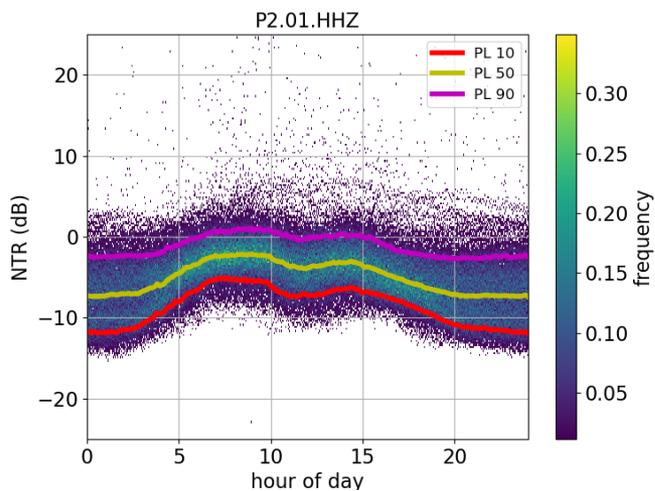
Newtonian Noise

- Better information from the percentiles (only two sites for clarity)



NTR 2-10 Hz

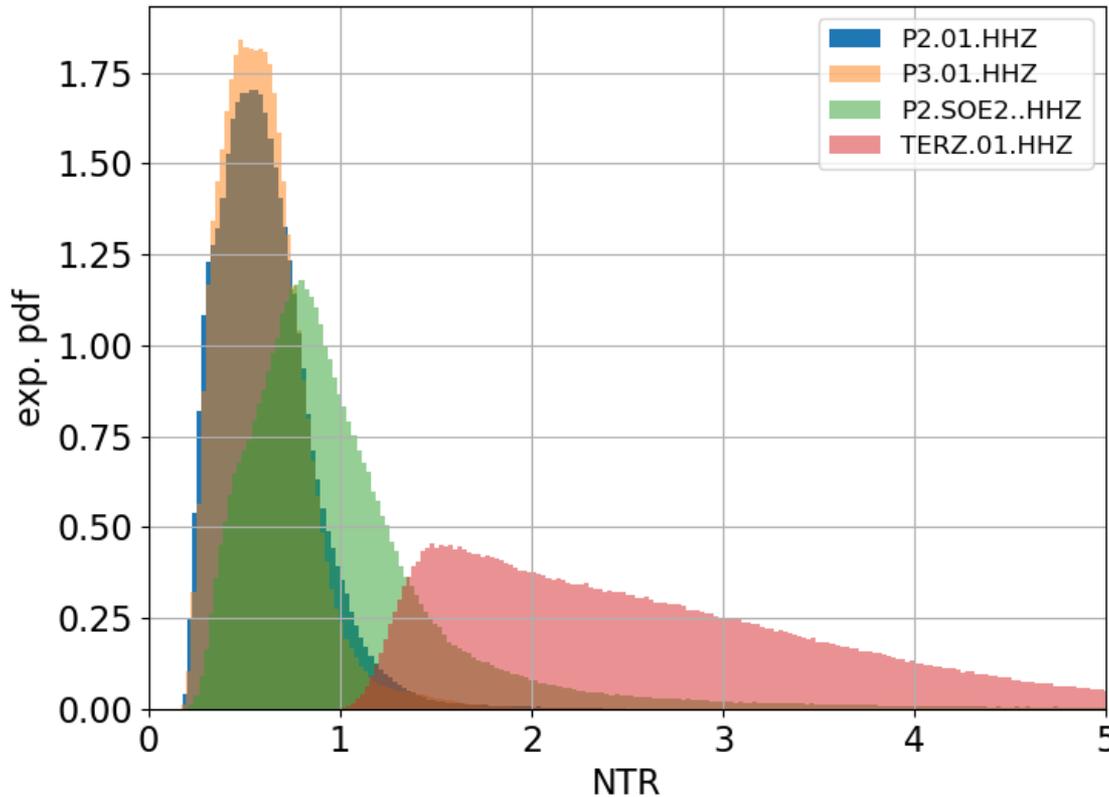
- Distributions along the day



Results of the Analysis

Full NTR Comparison

- Comparison of the full distributions for each site



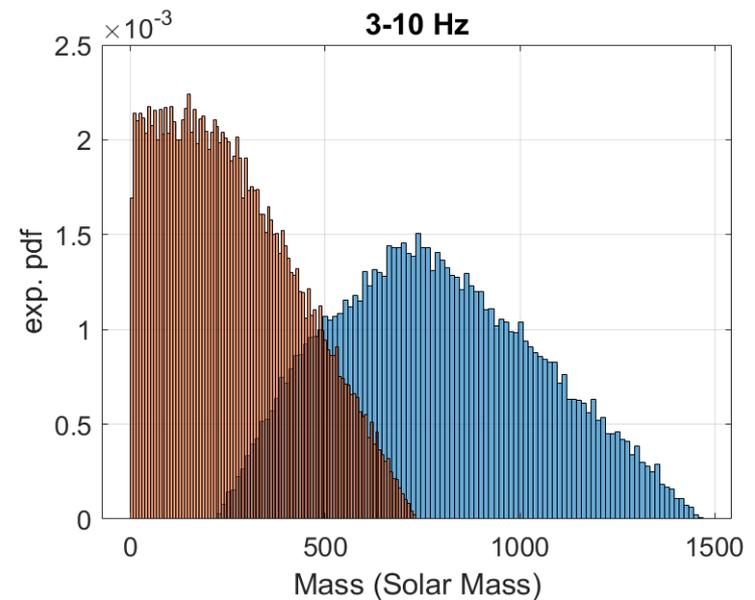
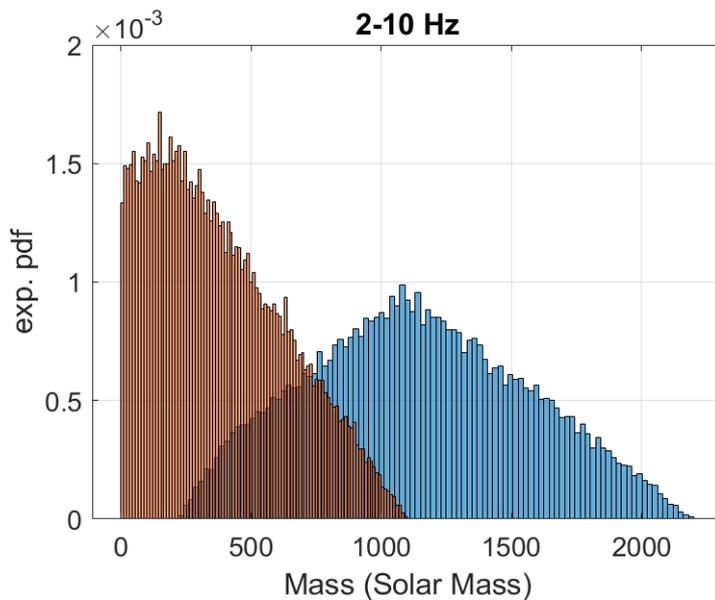
P2:	$P(NTR > 1) = 6.5\%$
P3:	$P(NTR > 1) = 4.7\%$
SOE2:	$P(NTR > 1) = 38.6\%$
TERZ:	$P(NTR > 5) = 8.9\%$

Conclusions

- Clear indication that, at least for Sardinia, NN could be a limited issue for sources whose spectrum is limited in the 2-10 Hz frequency band;
- Otherwise, a NN cancellation of a factor 5 is needed to recover to final ET sensitivity for more than 90% of time;
- A change in the detector geometry and length (L shape, 15 km long) should reduce the effect of NN.

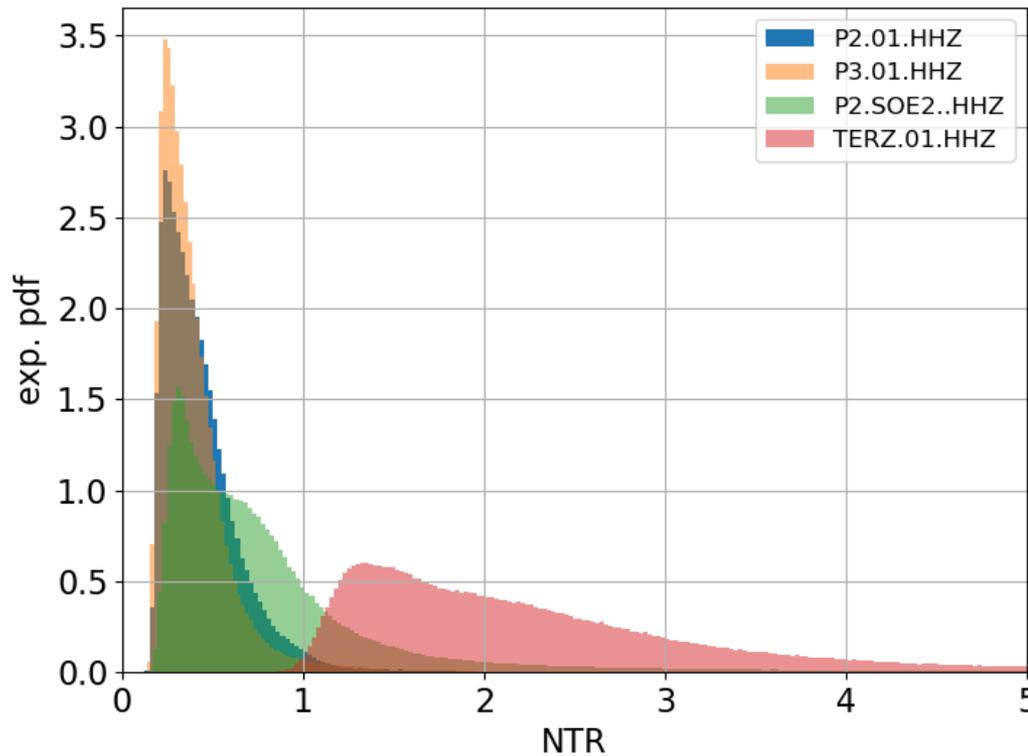
IMBH Mass Distribution

- Mass of the IMBH binary systems resulting from the simulation used to set the time window



NTR Comparison (3-10 Hz)

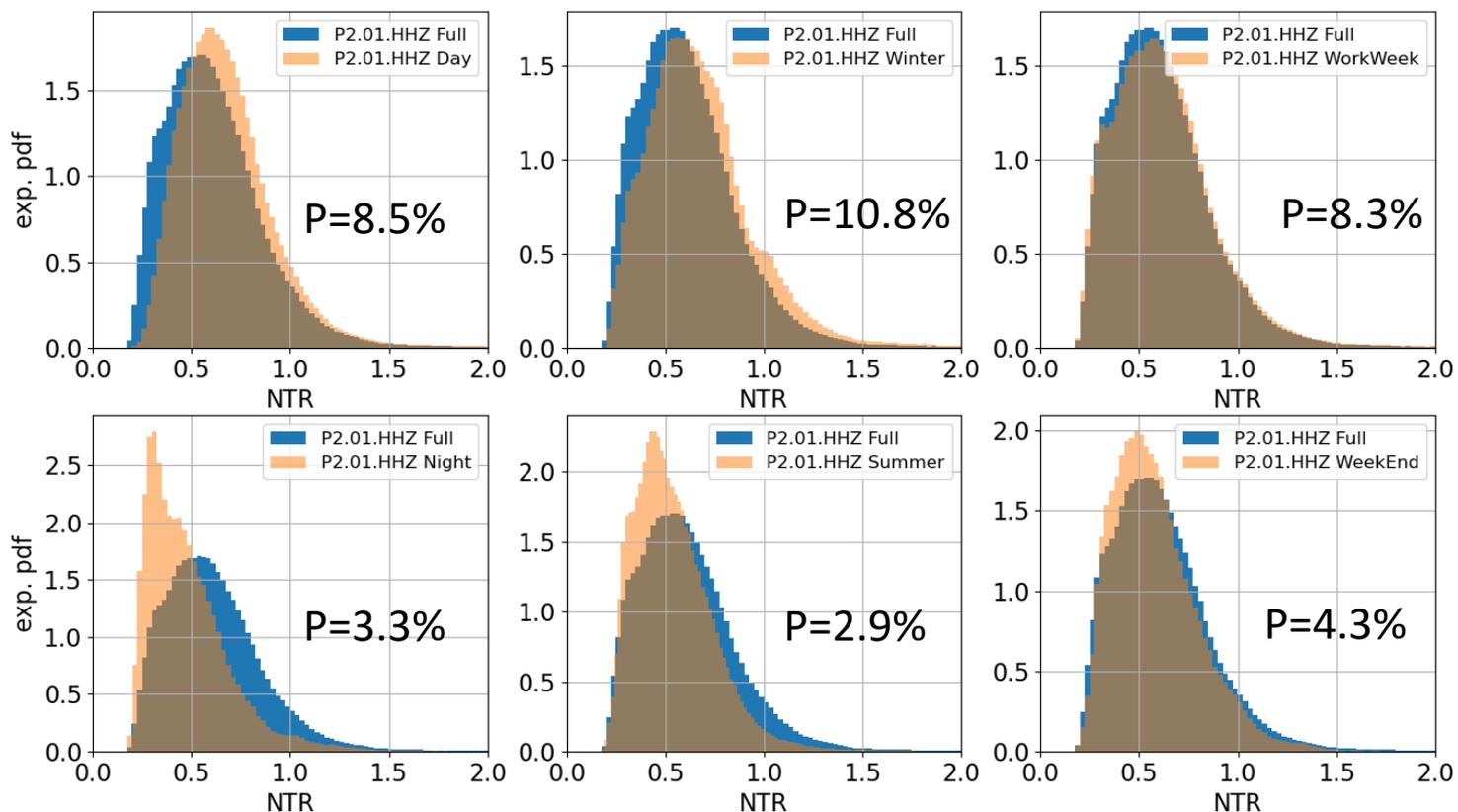
- Comparison of the full distributions for each site



Spare Slides

P2 - NTR 2-10 Hz

- Detailed distributions for each site:
 - $P(NTR > 1) = 6.5\%$



TERZ - NTR 2-10 Hz

- Detailed distributions for each site:
 - $P(NTR > 5) = 8.9\%$

