

# Probing Early Universe Supercooled Phase Transitions with Gravitational Wave Data

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# Motivation and Goals

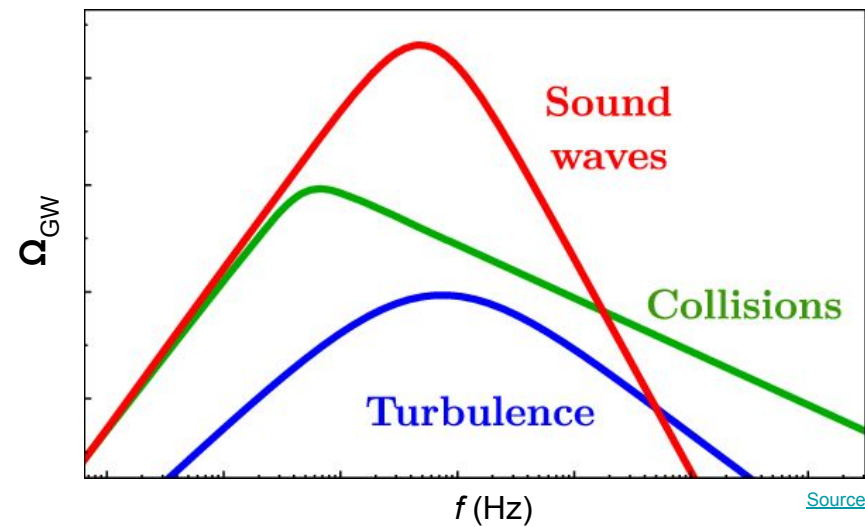
- Want to constrain particle physics (PP) models beyond Standard Model (BSM) using GW data.
- First order phase transitions (FOPT) are a generic feature of BSM theories - could use as a bridge between GW data analysis and PP phenomenological studies.
- Understand the outlook for future runs and detectors.

Talk mainly based off work in [Phys. Rev. D 107, 023511](#).

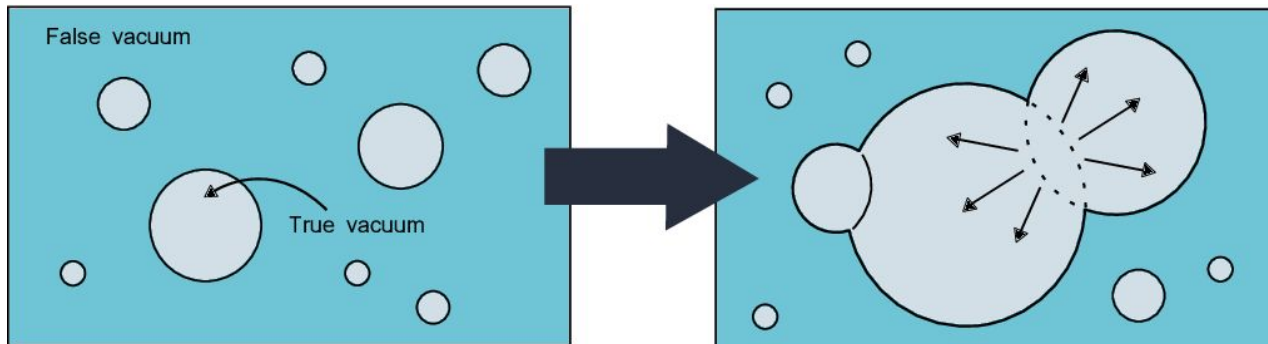
# First order phase transitions

A generic feature of extended Standard Model (SM) theories with new physics in baryogenesis, dark matter, and more.

Can characterize the FOPT GW spectra with a broken power law ansatz.



Supercooled FOPT take place when nucleation temperature is much smaller than the symmetry breaking scale, leading to amplified GW signals.



# Models

## Broken power-law

- BC:  $n_1 = 3, n_2 = -1, \Delta = 4$
- SW:  $n_1 = 3, n_2 = -4, \Delta = 2$
- Free parameters: peak amplitude  $\Omega_*$ , peak frequency  $f_*$

## Phenomenological model

- When supercooled, have  $\alpha \gg 1, T_{\text{RH}} \gg T_n, v_w \sim 1$
- Free parameters: FOPT duration  $H_n/\beta$ , reheating temperature  $T_{\text{RH}}$

Overlaying CBC foreground  $\Omega_{\text{CBC}}(f) = \Omega_{\text{ref}} (f / 25 \text{ Hz})^{2/3}$

## Model 1

- Minimal  $U(1)_{\text{B-L}}$  SM extension by introducing two new bosonic fields
- Can be incorporated into  $SO(10)$  grand unification
- Parametrize with gauge boson mass  $m_Z$ , and  $U(1)_{\text{B-L}}$  gauge coupling  $g$

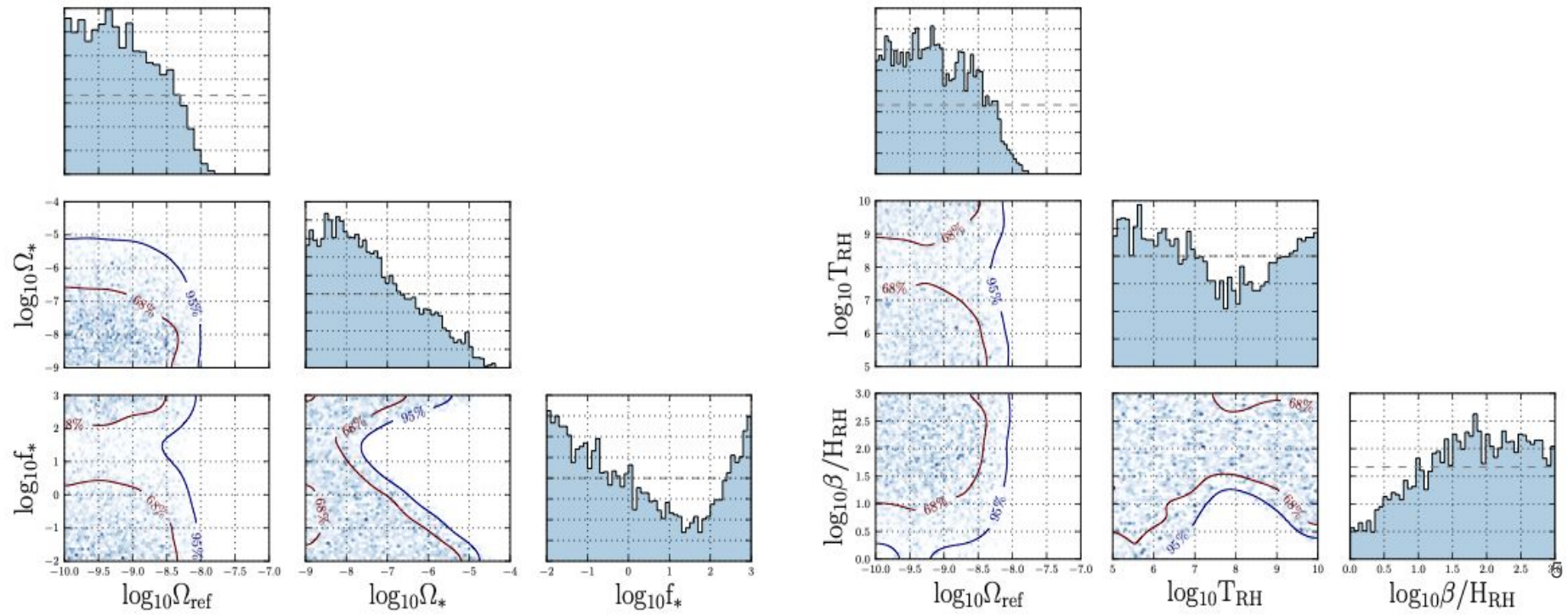
## Model 2

- Radiatively broken  $U(1)$  Peccei-Quinn symmetry by introducing two complex scalar fields
- Solves strong CP problem, introduces dark matter candidate (axion)
- Parameterize with potential strength  $\lambda$  and minimum of potential  $F$

# Results: O3 PE Results

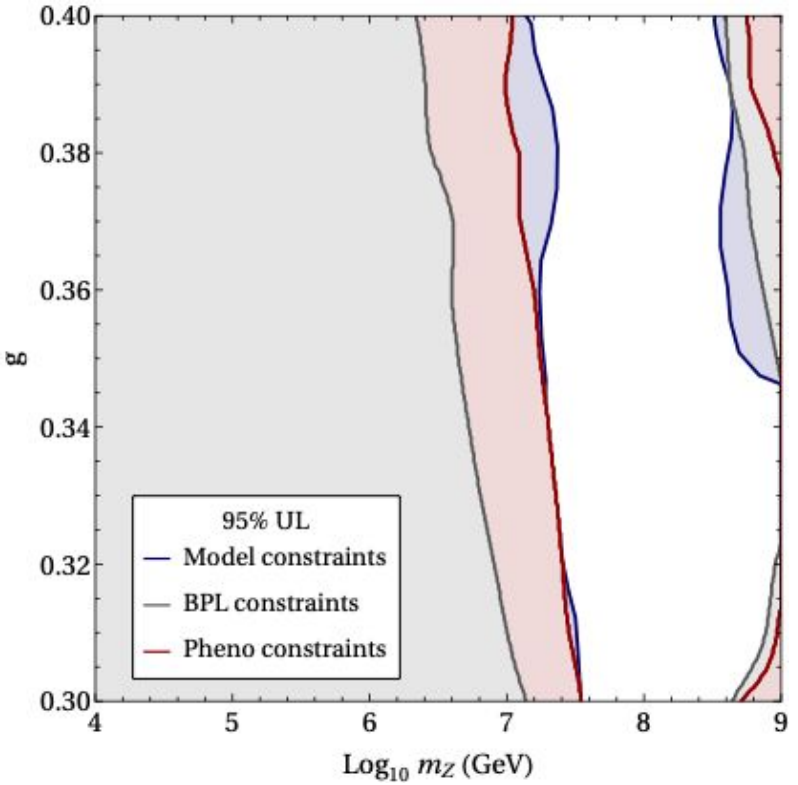
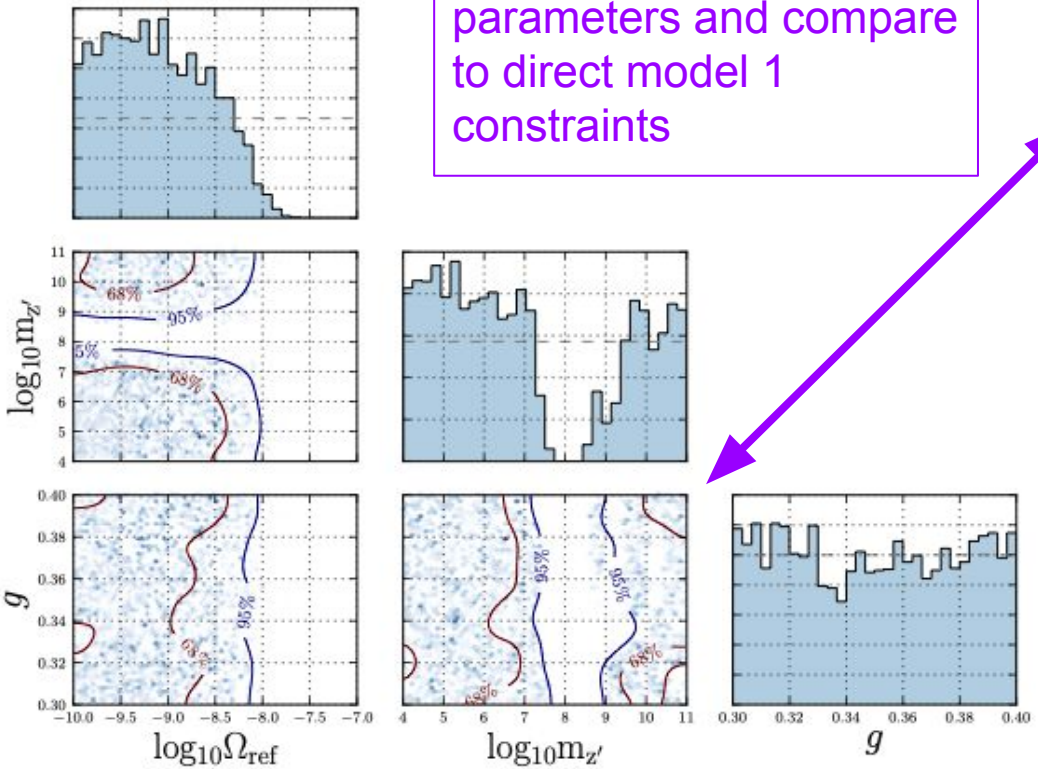
Conduct a parameter estimation (PE) on O3 data assuming a  $\Omega_{\text{CBC}} + \Omega_{\text{FOPT}}$  GWB model.

Example: Constraints on BC GWB for BPL and Pheno model.



# Results: O3 PE Results

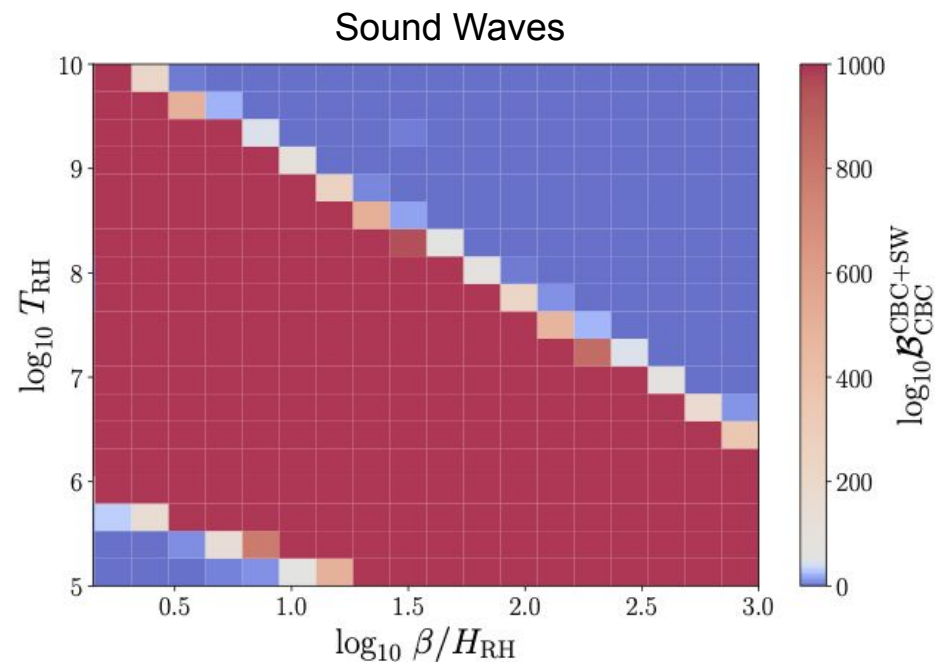
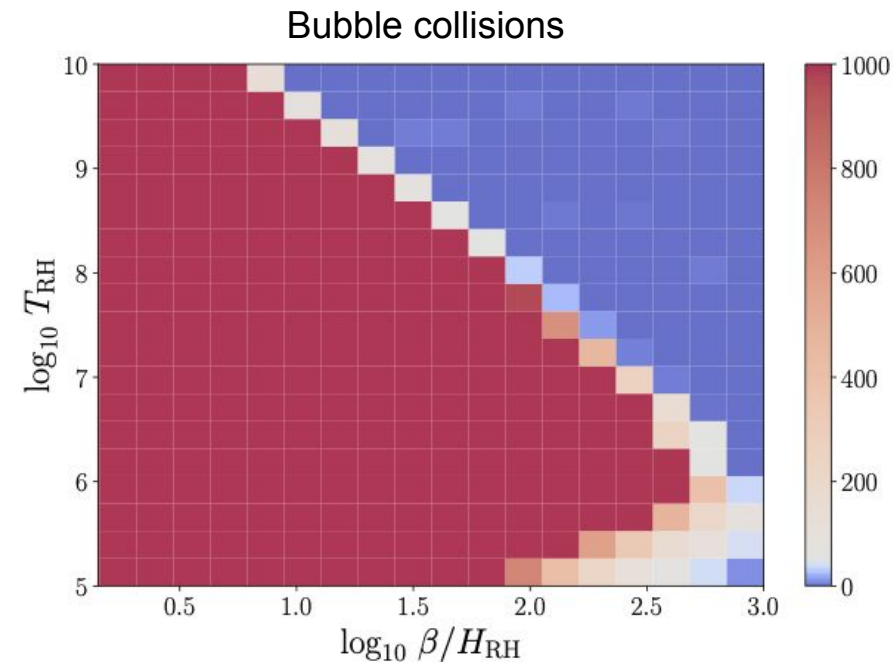
Can convert BPL, pheno constraints to model 1 parameters and compare to direct model 1 constraints



Constraints match!  
 → Can use BPL and pheno constraints for any PP model

# Outlook: 3G GW detectors

A 3G network of ET + 2 CEs can probe an even larger portion of FOPT parameter space.

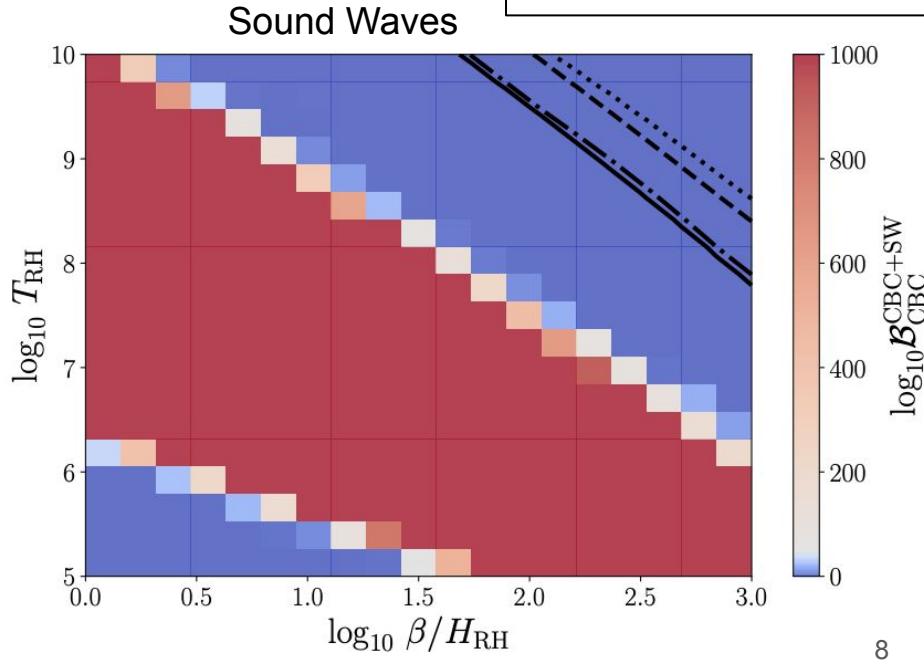
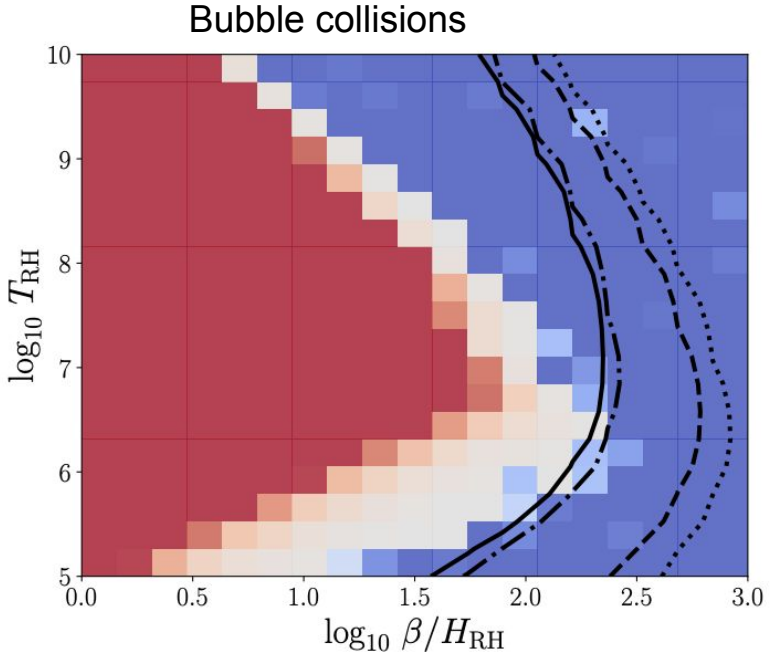




# Outlook: 3G GW detectors

Choice of ET configuration changes detectability as well. Detection threshold of  $\log_{10} B = 8$  plotted.

- $\triangle$ , 10km: - - - -
- $\triangle$ , 15km: .....  
 $\triangle$ , 15km: .....
- 2L, 15km: ————
- 2L, 20km: - · - · - ·





# Conclusions

- Can translate GW data constraints to particle physics models.
- Such constraints placed on supercooled FOPT model constraints from O3 data.
- 3G detectors can explore large portions of FOPT parameter space.
- ET configuration matters!

**Thank you! Questions?**

Spare slides

# Explicit models

## Broken power-law (BPL)

$$\Omega_{\text{bpl}}(f) = \Omega_* \left( \frac{f}{f_*} \right)^{n_1} \left[ 1 + \left( \frac{f}{f_*} \right)^\Delta \right]^{(n_2 - n_1)/\Delta}$$

- Bubble Collisions:  $n_1 = 3$ ,  $n_2 = -1$ ,  $\Delta = 4$
- Sound Waves:  $n_1 = 3$ ,  $n_2 = -4$ ,  $\Delta = 2$
- Free parameters: peak amplitude  $\Omega_*$ , peak frequency  $f_*$

## Phenomenological (Pheno)

$$h^2 \Omega_{\text{bc}}(f) \approx \frac{(4.88 \times 10^{-6}) (f/f_{\text{bc}})^{2.8}}{1 + 2.8 (f/f_{\text{bc}})^{3.8}} \left( \frac{H_{\text{RH}}}{\beta} \right)^2 \left( \frac{100}{g_*} \right)^{\frac{1}{3}}$$

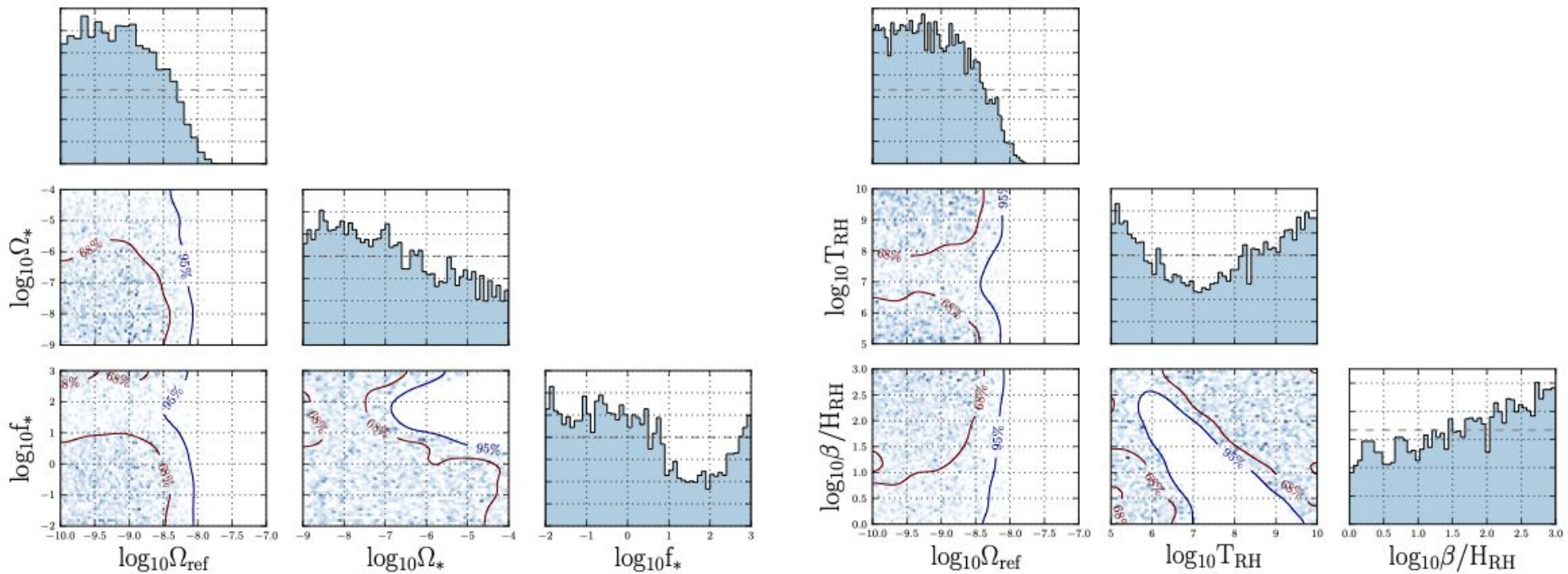
$$f_{\text{bc}} \approx (3.7 \times 10^{-5} \text{ Hz}) \left( \frac{g_*}{100} \right)^{\frac{1}{6}} \left( \frac{\beta}{H_{\text{RH}}} \right) \left( \frac{T_{\text{RH}}}{1 \text{ TeV}} \right)$$

$$h^2 \Omega_{\text{sw}}(f) \approx \frac{(1.86 \times 10^{-5}) (f/f_{\text{sw}})^3}{\left[ 1 + 0.75 (f/f_{\text{sw}})^2 \right]^{7/2}} \left( \frac{H_{\text{RH}}}{\beta} \right) \left( \frac{100}{g_*} \right)^{\frac{1}{3}},$$

$$f_{\text{sw}} \approx (1.9 \times 10^{-4} \text{ Hz}) \left( \frac{g_*}{100} \right)^{\frac{1}{6}} \left( \frac{\beta}{H_{\text{RH}}} \right) \left( \frac{T_{\text{RH}}}{1 \text{ TeV}} \right)$$

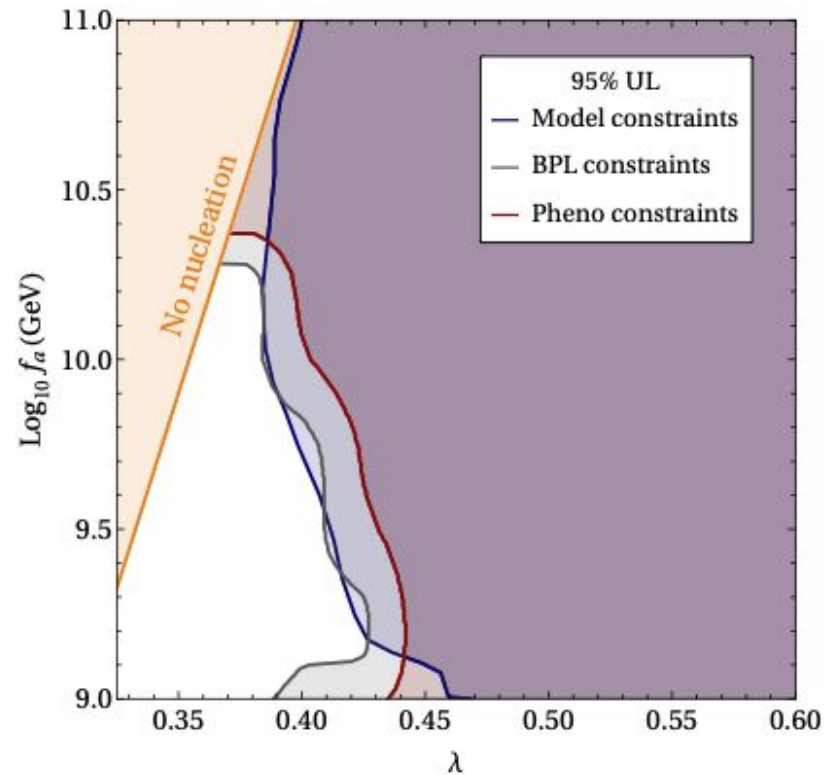
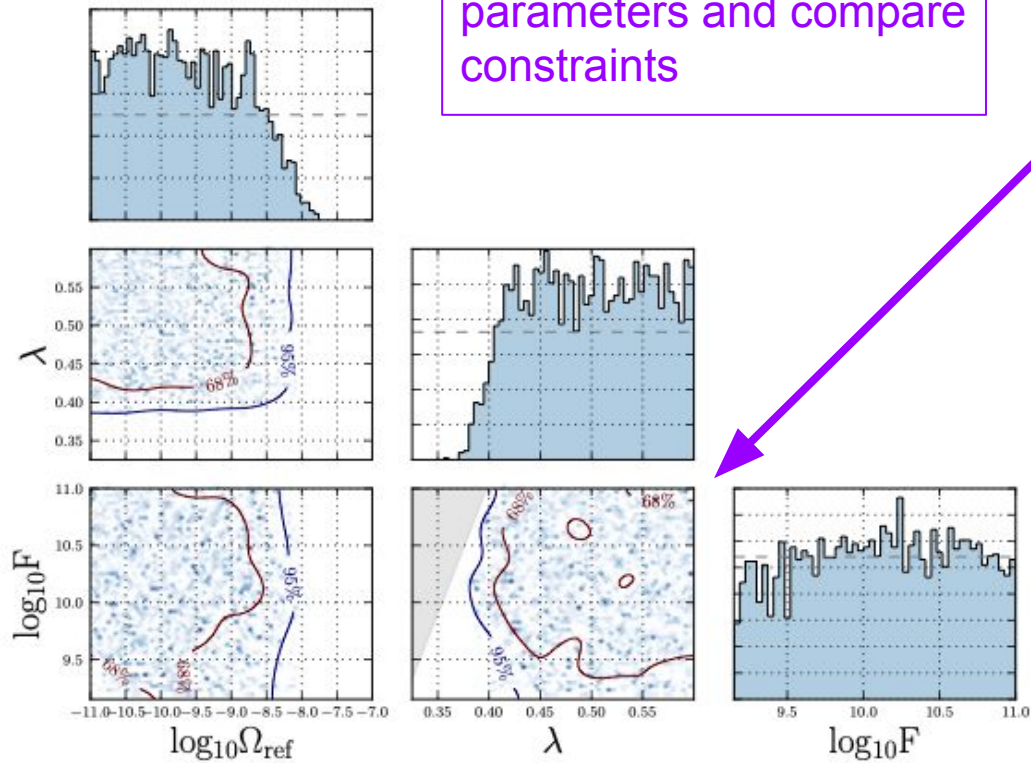
- Free parameters: FOPT duration  $H_n/\beta$ , reheating temperature  $T_{\text{RH}}$

# Results - O3 (SW BPL / Pheno)



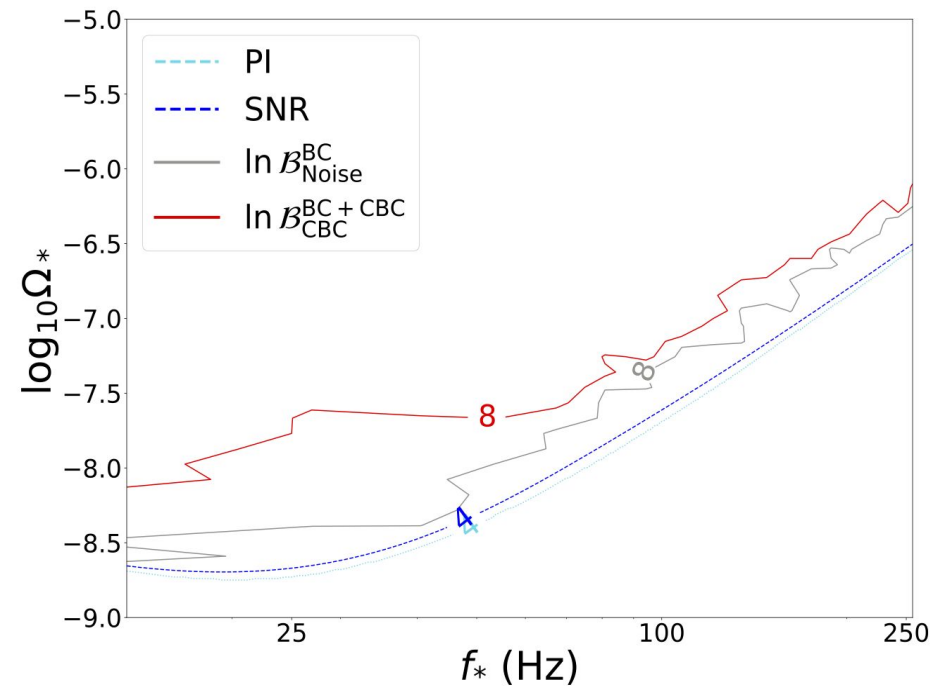
# Results - O3 model 2

Can convert BPL, pheno constraints to model 2 parameters and compare constraints



# Results - O4 outlook

## Bubble Collisions - BPL



## Sound Waves - BPL

