What can we measure with an Eötvös balance?

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Eötvös balance measures force difference, therefore

- gravity gradient,
- equivalence principle,
- fifth force, therefore e.g. extra dimensions,
- temperature,
- atmospheric pressure,
- seismicity,
- ...,
- bus schedule,
- Newtonian noise?
- earthquake signals?

Signal, noise and sensitivity

- Improved sensitivity
- Equilibrium vs time series



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Differential and compensation measurements

Elimination of the bias.

$$x_1 = \text{noise} + A$$

 $x_2 = \text{noise} - A$ \rightarrow $\frac{x_1 - x_2}{2} = A$

Example: GPS. Typical measurement errors are about 5-10m. With corrections (accelerometer, map matching, etc.) the accuracy is about 1m. With differential measurement relative to a fixed station, accuracy is 1cm.

Eötvös balance: equilibrium for EP. Differential in several respects. There are two independent and opposite balances.

Differential elimination of

- material inhomogeneities and differences (torsion spring constant),
- small differences in instrument parameters due to manufacturing,
- drift and uncertainties in equilibrium,
- changes in the environmental conditions,

etc.

Geophysical Eötvös balances



Gravity-gradiometer

Eötvös balance measures the gradient of the gravity:

Eötvös tensor:

$$W = -\nabla^2 U = \begin{pmatrix} W_{xx} & W_{xy} & W_{xz} \\ W_{xy} & W_{yy} & W_{yz} \\ W_{xz} & W_{yz} & W_{zz} \end{pmatrix}$$

Eötvös formula :

$$\phi - \phi_0 =$$

$$\frac{K}{\tau} \left((W_{yy} - W_{xx}) \sin(2\alpha) + 2W_{xy} \cos(2\alpha) \right) - \frac{2mhl}{\tau} \left(W_{xz} \sin(\alpha) - 2W_{yz} \cos(\alpha) \right)$$



Measurement of the equivalence principle





Earth: rotation, test mass exchange. Sun: balance is fixed, Earth is rotating.



Fifth force: Eötvös-Pekár-Fekete (1904-22)

Fischbach-Sudarsky-Szafer-Talmadge-Aronson, 1986



$$|F| = \gamma (1 + \Delta \kappa) \frac{mM}{r^2}$$

B - specific barion charge, μ - mass

The Eötvös balance instrument



Mirrors, torsion wire and the lower mass



Gravity gradients in JUPL

- Calculated with the mass model of the laboratory
- measured: $U_{xz} = -15.2 \text{ E}, U_{yz} = -14.4 \text{ E}$
- the calculated g_{xzz} perpendicular deviation is small
- the measure g_{xzz} perpendicular deviation 0.051 nGal/cm²



Improved sensitivity

- Automatic readout: image processing, direction calculation
- Automatic rotation : sensitive motor, accurate position feedback (code ring)
- Stable, calm environment: Jánossy Underground Physics Laboratory
- Better statistics, improved evaluation (e.g. simulated damping, self consistent solution of Eötvös equation, etc...)



Problems and possibilities

- The accuracy of the EPF measurement of the parameter of equivalence: $\Delta\eta=3\cdot10^{-9}$
- Expected improvement is 3 magnitudes, realised improvement is 1-2 magnitudes. Problems:
 - various drifts of the torsion wire: jumps and slow motion,
 - vibration sensitivity,
 - atmospheric pressure sensitivity ,
 - gravity and azimuth angle should be known exactly,
 - control of various environmental factors (mass effect of rain, moisture, human activity).

Signal or noise?

Long term drift and a perplexing correlation

• Long term drift: material or environment? Initially 0.01 unit/hour that become a linear 0.005 unit/hour drift (2 µrad/hour), or smaller



 removing the drift one can observe a characteristic (anti)correlation of the signals



Pressure variation

- Atmospheric pressure measured with a simple Bosch BME280 sensor
- Atmospheric pressure measured on the top of a neighbor building
- Pressure variations are correlated



Azimuth angle and pressure

- The filtered (2 minutes 60 minutes) atmospheric pressure is correlated with azimuth angle that is why the balances themselves are correlated
- the effect is azimuth dependent



Oscillations of the fixpoint

- Speake és Gillies (1987), Karagioz et al. (1975)
- "dumpbell effect": vertical oscillations are coupled to torsion oscillations.
- explanation: kinetic energy is minimal, if the direction of the dumpbell is parallel to the rotation axis of the simplest swing motion
- simulation of the torsional oscillations of a simple Coulomb balance if the amplitude and the frequency of the oscillation of the fixing point 1 μ m and 10 Hz



What is the reason of the oscillation according to the pressure change?

Detection of distant Earthquakes

- M = 4.3 in Serbia, low epicenter 2018.12.23. 06:34.
- balance signal in JUPL
- seismogramm of the same earthquake in the Kövesligethy Radó Seismological Observatory



Earthquake signal

• M = 5.6 in Greece, low epicenter 09.01.2022. 21:45.



Enlarged pre-earthquake signal

• M = 5.6 in Greece, low epicenter 09.01.2022. 21:45.





Spectrum of the signal

• Resonance at 0.12Hz .





Recent activity

• Testing resonant environmental effects (pressure, temperature, seismic noise, magnetic field, etc...). Measurement and active exitations.



Low frequency waggler for active testing.

- Equivalence principle measurement. 5th force and gravity gradient.
- Assembling and installing an Eötvös balance network.

Eötvös100-Equivalence Group















Thank you for your attention!

Earthquake prediction with torsion balances?

 Tipical GV signal due to unknown reasons before an earthquake (Volfson et al. 2011)



Earthquake prediction with torsion balances?

- Gravity variometers (GV) are sensitive to seismic oscillations. An accidental discovery in Sovietunion around 1970 (Volfson et al. 2010)
- Gravity variometers were deviating from equilibrium, typically several 10 hours before an earthquake (Kalinnikov et al., 1992)
- The torsion balance operates according to a maximal resonant energy adsorption due to the horizontal motion in various directions (Kalinnikov, 1990).
- 18 couples of GV were operational in 7 seismological stations in Kazahstan for 15 years (Khaidarov et al., 2003)